

# Package ‘support.BWS2’

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**Type** Package

**Title** Tools for Case 2 Best-Worst Scaling

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**Description** Provides three basic functions that support an implementation of Case 2 (profile case) best-worst scaling. The first is to convert an orthogonal main-effect design into questions, the second is to create a dataset suitable for analysis, and the third is to calculate count-based scores. For details, see Aizaki and Fogarty (2019) <doi:10.1016/j.jocm.2019.100171>.

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## Description

The package has three basic functions that support an implementation of Case 2 (profile case) best-worst scaling. The first is to convert an orthogonal main-effect design into questions, the second is to create a dataset suitable for analysis, and the third is to calculate count-based scores. For details, see Aizaki and Fogarty (2019).

## Details

The package is under development and thus may be changed substantially in the future.

### 1) Outline of Case 2 best-worst scaling

Case 2 (profile case) best-worst scaling (BWS) is a question-based survey method to elicit preferences for attribute levels (See Flynn 2010, Flynn et al. 2007 and 2008, Louviere et al. 2015, and Marley et al. 2008 for details of the subsection). A profile (choice set) has three or more attributes and each attribute has two or more levels. The profile is expressed as a combination of attribute levels. Numerous profiles are constructed using experimental designs. Attributes shown in each profile are fixed in all the profiles and a combination of attribute levels in each profile is changed according to the profiles. A profile selected from all the constructed profiles is presented to respondents, who are then asked to choose the best and worst attribute levels in the profile. This question is repeated until all profiles are evaluated. Analyzing the responses enables us to elicit preferences for the attribute levels.

A basic approach to constructing profiles is using an orthogonal main-effect design (OMED). Assume that the profiles have  $K$  attributes and each attribute has  $L_k$  levels. If all the attributes have the same number of levels,  $L$ , a  $L^K$  OMED is used to construct the profiles. Columns of the OMED correspond to attributes, while the rows to profiles. For example, profiles have four attributes and they have three levels: attribute A with levels A1, A2, and A3; attribute B with levels B1, B2, and B3; attribute C with levels C1, C2, and C3; and attribute D with levels D1, D2, and D3. A  $3^4$  OMED corresponding to the assumptions is as follows (see the section Examples of the function `bws2.dataset()` for code to generate the OMED):

1	3	2	3
3	1	2	2
3	3	3	1
2	3	1	2
2	2	2	1
1	1	1	1
1	2	3	2
3	2	1	3
2	1	3	3

Suppose that attributes A, B, C, and D are assigned to the first, second, third, and fourth column of

the OMED, respectively, and the values 1, 2, and 3 used in the OMED correspond to the attribute-level values in each attribute: 1 = A1, 2 = A2, and 3 = A3 for attribute A; 1 = B1, 2 = B2, and 3 = B3 for attribute B; 1 = C1, 2 = C2, and 3 = C3 for attribute C; and 1 = D1, 2 = D2, and 3 = D3 for attribute D. Accordingly, the above-mentioned OMED can be transformed into the following:

A1	B3	C2	D3
A3	B1	C2	D2
A3	B3	C3	D1
A2	B3	C1	D2
A2	B2	C2	D1
A1	B1	C1	D1
A1	B2	C3	D2
A3	B2	C1	D3
A2	B1	C3	D3

The resultant OMED consists of nine rows: nine profiles, that is, nine Case 2 BWS questions, are constructed. For example, a profile corresponding to the first row of the OMED comprises A1, B3, C2, and D3. This means that respondents who face the question created from the first row of the OMED are asked to select their best and worst attribute levels from attribute levels A1, B3, C2, and D3, as follows:

Please select your best and worst attribute levels from the following four:

Best	Attribute	Worst
<input type="checkbox"/>	A1	<input type="checkbox"/>
<input type="checkbox"/>	B3	<input type="checkbox"/>
<input type="checkbox"/>	C2	<input type="checkbox"/>
<input type="checkbox"/>	D3	<input type="checkbox"/>

There are two approaches for analyzing responses to Case 2 BWS questions: a counting approach and modeling approach. The counting approach calculates scores on the basis of the number of times attribute level  $i$  is selected as the best ( $B_{in}$ : B score for attribute level  $i$ ) and the worst ( $W_{in}$ : W score for attribute  $i$ ) among all the questions for respondent  $n$ . A (disaggregated) best-minus-worst (BW) score and its standardized variant are defined as

$$BW_{in} = B_{in} - W_{in},$$

$$std.BW_{in} = \frac{BW_{in}}{f_i},$$

where  $f_i$  is the frequency with which attribute level  $i$  appears across all questions.

The modeling approach uses discrete choice models to analyze responses. When using the modeling approach, a model type must be selected according to the assumption for respondents' choice behavior in Case 2 BWS questions and then a dataset must be formatted as per the selected model. There are three standard models: paired, marginal, and marginal sequential models. Although the three models commonly assume that the respondents derive utility for each attribute level shown

in the profile, the assumption for how they select the best and worst attribute levels from the set of attribute levels in the profile differs among the three models.

The number of possible pairs in which attribute level  $i$  is selected as the best and attribute level  $j$  is selected as the worst ( $i \neq j$ ) from  $K$  attribute levels is  $K \times (K - 1)$ . The paired model assumes that respondents select attribute level  $i$  as the best and attribute level  $j$  as the worst because the difference in utility between  $i$  and  $j$  represents the greatest utility difference among  $K \times (K - 1)$  utility differences. Consider the example profile mentioned above. It contains four attribute levels: A1, B3, C2, and D3. The number of possible pairs is 12 ( $= 4 \times (4 - 1)$ ). There are 12 possible pairs of the best and worst attribute levels (in each pair, the former is the best and the latter is the worst): (A1, B3), (A1, C2), (A1, D3), (B3, A1), (B3, C2), (B3, D3), (C2, A1), (C2, B3), (C2, D3), (D3, A1), (D3, B3), and (D3, C2). If a respondent selects A1 as the best attribute level and C2 as the worst, the paired model assumes that the respondent calculates 12 utility differences as per the 12 above-mentioned pairs and that the difference in utility between A1 and C2 is the maximum among the 12 utility differences.

The marginal model assumes that there are  $K$  possible best attribute levels and  $K$  possible worst attribute levels in a profile, that attribute level  $i$  is selected as the best from  $K$  possible best attribute levels in the profile, and that attribute level  $j$  is selected as the worst from  $K$  possible worst attribute levels. This is because the utility for attribute level  $i$  is the maximum among the utilities for  $K$  attribute levels and that for attribute level  $j$  is the minimum. Following the above example, the marginal model assumes that there are four possible best attribute levels and four possible worst attribute levels in the profile and interprets the respondent's choice behavior as follows: utility for A1 is the maximum among the four utilities for A1, B3, C2, and D3 and that for C2 is the minimum among the four.

The assumption of the marginal model that the worst attribute level is selected from  $K$  attribute levels would not be appropriate because the best attribute level in a profile must differ from the worst one in the profile. Thus, the marginal sequential model assumes that respondents select attribute level  $i$  as the best from  $K$  attribute levels in the profile and then attribute level  $j$  as the worst from the remaining  $K - 1$  attribute levels. Following the above example, under the marginal sequential model assumption, there are four possible best attribute levels and three possible worst attribute levels in the profile. The model considers that the respondent selects A1 as the best from the four possible attribute levels because the utility for A1 is the highest among the utilities for A1, B3, C2, and D3, but selects C2 as the worst from three possible worst levels, B3, C2, and D3, because the utility for C2 is the least among the three.

The three models generally assume that the utility for attribute level  $i$  selected as the worst is the negative of the one selected as the best. Under these assumptions, and given the assumption for the stochastic component of utility, the probability of selecting attribute level  $i$  as the best and attribute level  $j$  as the worst can be expressed as a conditional logit model.

## 2) Role of the package and other packages needed to complete implementing Case 2 BWS

The package **support.BWS2** provides functions to convert an OMED into a series of Case 2 BWS questions, create a dataset for the analysis from the OMED and the responses to the questions, and calculate BWS scores. Other packages are needed to complete implementing Case 2 BWS with R: a package to construct OMEDs and another to analyze the responses on the basis of the modeling approach. For example, the `oa.design()` function in **DoE.base** (Groemping 2018) can construct OMEDs, while the functions `clogit()` in **survival** (Therneau 2016), `mlogit()` in **mlogit** (Croissant 2013), and `gmn1()` in **gmn1** (Sarrias and Daziano 2017) can fit the conditional logit model. The latter two functions are also used to fit advanced discrete choice models such as a mixed (random parameters) logit model. Refer to the task views about experimental designs (Groemping

2016) and econometrics (Zeileis 2017) on CRAN for details on packages for experimental designs and discrete choice models in R.

### Acknowledgments

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### Author(s)

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agritourism

*Potential tourists' valuation of agritourism*

---

### **Description**

This dataset contains responses to Case 2 BWS questions. Respondents were asked to evaluate agritourism packages provided by dairy farms in Hokkaido, Japan.

### **Usage**

```
data(agritourism)
```

### **Format**

A data frame with 240 respondents on the following 21 variables.

- id Identification number of respondents.
- b1 Item selected as the best in question 1.
- w1 Item selected as the worst in question 1.
- b2 Item selected as the best in question 2.
- w2 Item selected as the worst in question 2.
- b3 Item selected as the best in question 3.
- w3 Item selected as the worst in question 3.
- b4 Item selected as the best in question 4.
- w4 Item selected as the worst in question 4.
- b5 Item selected as the best in question 5.
- w5 Item selected as the worst in question 5.
- b6 Item selected as the best in question 6.
- w6 Item selected as the worst in question 6.
- b7 Item selected as the best in question 7.
- w7 Item selected as the worst in question 7.
- b8 Item selected as the best in question 8.
- w8 Item selected as the worst in question 8.
- b9 Item selected as the best in question 9.
- w9 Item selected as the worst in question 9.
- gender Respondents' gender: 1 = male; 2 = female.
- age Respondents' age: 2 = 20s; 3 = 30s; 4 = 40s; 5 = 50s

See the section Examples for details.

**Author(s)**

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**See Also**

[support.BWS2-package, bws2.dataset, oa.design](#)

**Examples**

```
## Not run:
# Agritourism refers to various activities offered by farms and ranches
# to visitors, such as hands-on farm work or outdoor recreation.
#
# In the Case 2 BWS questions, respondents were asked to evaluate
# agritourism packages provided by dairy farms (ranches) in Hokkaido, Japan.
# We assumed that the agritourism package consists of the following four
# types of activities, each with three activity items:
# 1. Hands-on ranch chores
#   (1) Milking a cow
#   (2) Feeding a cow
#   (3) Nursing a calf
# 2. Hands-on food processing
#   (1) Butter making
#   (2) Ice-cream making
#   (3) Creamy caramel making
# 3. Hands-on craft making
#   (1) Making a product from wool
#   (2) Making a product from wood
#   (3) Making a product from pressed flowers
# 4. Outdoor activities
#   (1) Horse riding
#   (2) Tractor riding
#   (3) Walking with cows
#
# As there are four activities and each activity has three items,
# a total of nine BWS questions were created using a three-level OMED
# with four columns. Each BWS question asked respondents to select
# the most and least interesting of the four activities shown
# in the question.
#
# In the following, we assume that the paired and marginal models with
# both attribute and attribute-level variables (Flynn et al. 2007; 2008)
# are fitted to the responses using the conditional logit model,
# with clogit() in the survival package.

# Load the package needed for the example:
require(survival)

options(digits = 4)

# The following OMED is generated using oa.design() in the DoE.base package:
# require(DoE.base)
```

```

# des <- data.matrix(
#   oa.design(nl = c(3,3,3,3), randomize = FALSE))
des <- cbind(
  c(1, 1, 1, 2, 2, 2, 3, 3, 3),
  c(1, 2, 3, 1, 2, 3, 1, 2, 3),
  c(1, 3, 2, 3, 2, 1, 2, 1, 3),
  c(1, 2, 3, 3, 1, 2, 2, 3, 1))

# The names of the attributes (activities) and attribute levels
# (activity items) were stored in the list attr.lev:
attr.lev <- list(
  chore = c("milking", "feeding", "nursing"),
  food = c("butter", "ice", "caramel"),
  craft = c("wool", "wood", "flower"),
  outdoor = c("horse", "tractor", "cow"))

# A series of Case 2 BWS questions were converted from the OMED using
# bws2.questionnaire():
bws2.questionnaire(choice.sets = des, attribute.levels = attr.lev,
  position = "left")

# The responses to the questions were stored in the dataset agritourism
# in the support.BWS2 package:
data(agritourism)
dim(agritourism)
colnames(agritourism)

# The names of the response variables used in the dataset agritourism
# were stored in the vector response.vars:
response.vars <- colnames(agritourism)[2:19]
response.vars

# The base level in each attribute was stored in the object base.lev
# in list format:
base.lev <- list(
  chore = c("nursing"),
  food = c("caramel"),
  craft = c("flower"),
  outdoor = c("cow"))

# The datasets for the paired model and the marginal model were created
# using bws2.dataset() and then stored in the objects pr.data1 and mr.data1,
# respectively:
pr.data1 <- bws2.dataset(
  data = agritourism,
  id = "id",
  response = response.vars,
  choice.sets = des,
  attribute.levels = attr.lev,
  reverse = TRUE,
  base.level = base.lev,
  model = "paired")
mr.data1 <- bws2.dataset(

```



```

data = agritourism,
id = "id",
response = response.vars,
choice.sets = des,
attribute.levels = attr.lev,
reverse = TRUE,
base.level = base.lev,
model = "marginal")
dim(pr.data1)
names(pr.data1)
dim(mr.data1)
names(mr.data1)

# The BWS scores were calculated using bws2.count() with the dataset for
# the marginal model:
scores <- bws2.count(mr.data1)
dim(scores)
names(scores)

# The scores for each level were aggregated among all respondents using
# sum() and bar plots of the scores were drawn using barplot():
sum(scores, "level")
barplot(scores, "bw", "level")

# If we only need aggregated B and W scores, these can be calculated from
# the dataset for a paired model as follows:
apply(pr.data1[pr.data1$RES == 1, c("BEST.LV", "WORST.LV")], 2, table)

# BW scores can be calculated according to groups of respondents.
# For example, the scores for male and those for female are given as follows:
sum(scores[agritourism$gender == 1, ], "level")
sum(scores[agritourism$gender == 2, ], "level")

# Bar plots for respondents in their 20s and those in their 50s can also be
# drawn using the following lines of code:
barplot(scores[agritourism$age == 2, ], "bw", "level")
barplot(scores[agritourism$age == 5, ], "bw", "level")

# We fitted the conditional logit model to the Case 2 BWS responses
# on the basis of the paired and marginal models with both attribute
# and attribute-level variables. The systematic component of the utility
# function for the example is
#  $v = b_1 \text{ chore} + b_2 \text{ food} + b_3 \text{ outdoor} +$ 
#  $b_4 \text{ milking} + b_5 \text{ feeding} + b_6 \text{ butter} + b_7 \text{ ice} +$ 
#  $b_8 \text{ wool} + b_9 \text{ wood} + b_{10} \text{ horse} + b_{11} \text{ tractor}$ 
# where chore, food, and outdoor are attribute variables (craft has been
# omitted); and milking, feeding, butter, ice, wool, wood, horse, and
# tractor are attribute-level variables (nursing has been omitted for chore,
# caramel has been omitted for food, flower has been omitted for craft,
# and cow has been omitted for outdoor); bs are coefficients to be estimated.
#
# The model formula for clogit(), corresponding to the systematic component
# mentioned above, is described as:

```

```

mf <- RES ~ chore + food + outdoor +
      milking + feeding + butter + ice +
      wool + wood + horse + tractor +
      strata(STR)

# We fitted the paired model using clogit() with the dataset pr.data1:
pr.out <- clogit(formula = mf, data = pr.data1)
pr.out

# The attribute-level variables are effect-coded ones, and thus the
# coefficient of the base level in each attribute can be calculated using:
b <- coef(pr.out)
(nursing <- -sum(b[4:5]))
names(nursing) <- "nursing"
(caramel <- -sum(b[6:7]))
names(caramel) <- "caramel"
(flower <- -sum(b[8:9]))
names(flower) <- "flower"
(cow <- -sum(b[10:11]))
names(cow) <- "cow"
craft <- 0
names(craft) <- "craft"
paired.model <- c(b[1:2], craft, b[3], b[4:5], nursing, b[6:7],
  caramel, b[8:9], flower, b[10:11], cow)
barplot(paired.model)

# The following code is for the marginal model:
mr.out <- clogit(formula = mf, data = mr.data1)
mr.out
b <- coef(mr.out)
(nursing <- -sum(b[4:5]))
names(nursing) <- "nursing"
(caramel <- -sum(b[6:7]))
names(caramel) <- "caramel"
(flower <- -sum(b[8:9]))
names(flower) <- "flower"
(cow <- -sum(b[10:11]))
names(cow) <- "cow"
marginal.model <- c(b[1:2], craft, b[3], b[4:5], nursing, b[6:7],
  caramel, b[8:9], flower, b[10:11], cow)
barplot(marginal.model)

# As mentioned in Flynn et al. (2008), the results from the paired model
# are similar to those from the marginal model: the correlation coefficient
# for the two results is calculated as follows:
cor(marginal.model, paired.model)
plot(marginal.model, paired.model,
  xlim = c(-0.5, 1), ylim = c(-0.5, 1))

## End(Not run)

```

---

bws2.count	<i>Calculating count-based best–worst scaling scores</i>
------------	----------------------------------------------------------

---

### Description

This function calculates best, worst, best-minus-worst, and standardized best-minus-worst scores for each respondent.

### Usage

```
bws2.count(data, ...)

## S3 method for class 'bws2.count'
barplot(height, score = c("bw", "b", "w"),
        output = c("level", "attribute"), mfrow = NULL, ...)

## S3 method for class 'bws2.count'
sum(x, output = c("level", "attribute"), ...)
```

### Arguments

data	A data frame containing the dataset generated from <code>bws2.dataset()</code> .
x, height	An object of the S3 class ‘bws2.count’.
output	A character showing a type of BWS score calculated by this function: “attribute” is assigned to this argument when BWS scores for attributes are calculated or “level” is assigned when BWS scores for attribute levels are calculated.
score	A character showing a type of the output from this function: “b” is assigned to this argument when the output is based on best scores, “w” is assigned when it is based on worst scores, or “bw” is assigned when it is based on best-minus-worst scores.
mfrow	A two-element vector <code>c(nr, nc)</code> ; bar plots will be drawn in an <code>nr</code> -by- <code>nc</code> array on the device by row.
...	Arguments passed to <code>function(s)</code> used internally.

### Details

The `bws2.count()` function calculates disaggregated best (B), worst (W), best-minus-worst (BW), and standardized BW scores. For details on these scores, refer to the Details section on the help page of this package.

Output from this function is the object of S3 class ‘bws2.count’, which inherits from the S3 class ‘data.frame’. The generic functions such as `barplot()` and `sum()` are available for the S3 class ‘bws2.count’. The `barplot()` function draws the bar plots of B, W, or BW scores for each attribute when `output = "attribute"` or those for each attribute level when `output = "level"`. The `sum` function returns a data frame containing B, W, BW, and standardized BW scores for all respondents for each attribute when `output = "attribute"` or for each attribute level when `output = "level"`.

**Value**

The output from `bws2.count()`, which is the object of the S3 class ‘`bws2.count`’, is a data frame containing six types of variables: respondent’s identification variable, B score variables, W score variables, BW score variables, standardized BW score variables, and respondent’s characteristic variables. These scores are calculated by each respondent. The names of these score variables are `b.<name of attribute or attribute level>`, `w.<name of attribute or attribute level>`, `bw.<name of attribute or attribute level>`, and `sbw.<name of attribute or attribute level>`. Part `<name of attribute or attribute level>` for each score variable is set according to the argument `attribute.levels` in `bws2.dataset()` used to generate a dataset for `bws2.count()`.

The output has the following attributes:

<code>nquestions</code>	A vector showing the number of questions.
<code>nrespondents</code>	A vector showing the number of respondents.
<code>freq.levels</code>	A variable showing the frequency of each attribute level in the choice sets.
<code>attribute.levels</code>	A list of attributes and their levels, which is the same as those assigned to argument <code>attribute.levels</code> in <code>bws2.dataset()</code> used to generate a dataset assigned to argument <code>data</code> of <code>bws2.count()</code> .
<code>vnames</code>	A variable showing the names of each attribute level.
<code>b.names</code>	A variable showing the names of B score by each attribute level.
<code>w.names</code>	A variable showing the names of W score by each attribute level.
<code>bw.names</code>	A variable showing the names of BW score by each attribute level.
<code>sbw.names</code>	A variable showing the names of standardized BW score by each attribute level.

**Author(s)**

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**See Also**

[support.BWS2-package](#), [bws2.dataset](#)

**Examples**

```
## See examples in bws2.dataset()
```

---

`bws2.dataset`

*Creating a dataset suitable for Case 2 best–worst scaling analysis using counting and modeling approaches*

---

**Description**

This function creates a dataset used for `bws2.count()` in **support.BWS2** and functions for discrete choice models such as `clogit()` in **survival**.

**Usage**

```
bws2.dataset(data, id, response, choice.sets, attribute.levels,
  base.attribute = NULL, base.level = NULL,
  reverse = TRUE, model = "paired",
  attribute.variables = NULL, effect = NULL, delete.best = FALSE,
  type = c("paired", "marginal", "sequential"),
  ...)
```

**Arguments**

<code>data</code>	A data frame containing a respondent dataset.
<code>id</code>	A character showing the name of the respondent identification number variable used in the respondent dataset.
<code>response</code>	A vector containing the names of response variables in the respondent dataset, showing the best and worst attribute levels selected in each Case 2 BWS question.
<code>choice.sets</code>	A data frame or matrix containing an orthogonal main-effect design.
<code>attribute.levels</code>	A list containing the names of the attributes and their levels.
<code>base.attribute</code>	A character showing the base attribute: the argument is used when attribute variables are created as effect coded ones and NULL is assigned to the argument when attribute variables are created as dummy coded ones.
<code>base.level</code>	A list containing the base level in each attribute: the argument is used when attribute level variables are created as effect coded ones and NULL is assigned to the argument when attribute level variables are created as dummy coded ones.
<code>reverse</code>	A logical value denoted by TRUE when the signs of the attribute variables are reversed for the possible worst, or otherwise FALSE.
<code>model</code>	A character showing a type of dataset created by this function: "paired" for a paired model, "marginal" for a marginal model, and "sequential" for a marginal sequential model.
<code>attribute.variables</code>	A character showing a type of attribute variables, denoted by "reverse" when the attribute variables take the value of 1 for a possible best, -1 for a possible worst, and 0 otherwise, or "constant" when the attribute variables are created as attribute-specific constants. The argument is deprecated. Please use the argument <code>reverse</code> instead.
<code>effect</code>	A list containing the base level in each attribute: the argument is used when attribute level variables are created as effect coded ones and while NULL is assigned to the argument when attribute level variables are created as dummy coded ones. The argument is deprecated. Please use the argument <code>base.level</code> instead.
<code>delete.best</code>	A logical value denoted by TRUE when deleting an attribute level selected as the best in the worst choice set (that is, using a marginal sequential model) or FALSE when not doing so. The argument is deprecated. Please use the argument <code>model</code> instead.

type	A character showing a type of dataset created by this function: "paired" for a paired model, "marginal" for a marginal model, and "sequential" for a marginal sequential model. The argument is deprecated. Please use the argument <code>model</code> instead.
...	Optional arguments; currently not in use.

## Details

The respondent dataset, in which each row corresponds to a respondent, must be organized by users and then assigned to the argument `data`. The dataset must include the respondent's identification number (`id`) variable in the first column and the response variables in the subsequent columns, each indicating which attribute levels are selected as the best and worst for each question. Other variables in the respondent dataset are treated as the respondents' characteristics such as gender and age. Respondents' characteristic variables are also stored in the resultant dataset created by the function `bws2.dataset()`. Although the names of the `id` and response variables are left to the discretion of the user, those of the `id` and response variables are assigned to the arguments `id` and `response`.

The response variables must be constructed such that the best attribute levels alternate with the worst by question. For example, when there are nine BWS questions, the variables are B1, W1, B2, W2, ..., B9, and W9. Here,  $B_i$  and  $W_i$  show the attribute levels selected as the best and worst in the  $i$ -th question. The row numbers of the attribute levels selected as the best and worst are stored in the response variables. For example, suppose that a respondent was asked to answer the following BWS question, which is the same as that shown on the help page of this package, and then selected A1 (attribute level in the first row) as the best and C2 (attribute level in the third row) as the worst.

Please select your best and worst attribute levels from the following four:

Best	Attribute	Worst
<input type="checkbox"/>	A1	<input type="checkbox"/>
<input type="checkbox"/>	B3	<input type="checkbox"/>
<input type="checkbox"/>	C2	<input type="checkbox"/>
<input type="checkbox"/>	D3	<input type="checkbox"/>

The response variables B1 and W1, corresponding to the respondent's answer to this question, take the value of 1 (= the attribute level in the first row) and 3 (= the attribute level in the third row).

The arguments `choice.sets` and `attribute.levels` are the same as those in `bws2.questionnaire()`. The order of questions in the respondent dataset has to be the same as that in `choice.sets`.

The arguments `type`, `reverse`, `base.attribute`, and `base.level` are set according to the model you will use: argument `type` is set as "paired" for the paired model, "marginal" for the marginal model, or "sequential" for the marginal sequential model; the argument `reverse` is set as "TRUE" for a model in which the signs of the attribute variables are reversed for the possible worst (Flynn et al. 2007 and 2008), or FALSE when not doing so (Hensher et al. 2015, Appendix 6B); the argument `base.attribute` is set as a character vector showing the base attribute for a marginal (sequential) model with effect-coded attribute variables; and the argument `base.level` is set as a list containing the base level in each attribute for a model with effect-coded level variables (Flynn et al. 2007 and

2008), while it is set as NULL for a model with dummy-coded attribute level variables (Hensher et al. 2015, Appendix 6B).

Note that the arguments `attribute.variables`, `effect`, `delete.best`, and `type` are deprecated and will be removed in the future.

## Value

The function returns a dataset in data frame format for the paired model or one for the marginal (sequential) model. The dataset for the paired model contains the following variables and attribute and/or attribute-level variables explained above:

<code>id</code>	A respondent's identification number; the actual name and values of this variable is set according to the <code>id</code> variable in the respondent dataset.
<code>Q</code>	A serial number of BWS questions.
<code>PAIR</code>	A serial number for the possible pairs of the best and worst attribute levels for each question.
<code>BEST</code>	An attribute-level number treated as the best in the possible pairs of the best and worst attribute levels for each question.
<code>WORST</code>	An attribute-level number treated as the worst in the possible pairs of the best and worst attribute levels for each question.
<code>BEST.AT</code>	A character showing the attribute corresponding to the attribute level treated as the best in the possible pairs of the best and worst attribute levels for each question.
<code>WORST.AT</code>	A character showing the attribute corresponding to the attribute level treated as the worst in the possible pairs of the best and worst attribute levels for each question.
<code>BEST.LV</code>	A character showing the attribute level treated as the best in the possible pairs of the best and worst attribute levels for each question.
<code>WORST.LV</code>	A character showing the attribute level treated as the worst in the possible pairs of the best and worst attribute levels for each question.
<code>RES.B</code>	A row number in the profile corresponding to the attribute level selected as the best by respondents.
<code>RES.W</code>	A row number in the profile corresponding to the attribute level selected as the worst by respondents.
<code>RES</code>	Responses to BWS questions that takes the value of 1 if a possible pair of the best and worst attribute levels is selected by respondents and 0 otherwise: this variable is used as a dependent variable in the model formula of the function for discrete choice analysis (e.g., <code>clogit()</code> in the package <b>survival</b> ).
<code>STR</code>	A stratification variable identifying each combination of respondent and question; the variable is also used in the model formula of <code>clogit()</code> .

The dataset for the marginal (sequential) model contains the variables `id`, `Q`, `RES.B`, `RES.W`, and `STR` mentioned above and the following variables:

<code>ALT</code>	A serial number of alternatives (attribute levels) for each question.
------------------	-----------------------------------------------------------------------

BW	A state variable that takes the value of 1 for the possible best attribute levels and -1 for the possible worst attribute levels.
ATT.cha	A character showing the attribute corresponding to the attribute level treated as the possible best or worst for each question.
ATT	An attribute number showing the attribute corresponding to the attribute level treated as the possible best or worst for each question.
LEV.cha	A character showing the attribute levels treated as the possible best or worst for each question.
LEV	An attribute level number showing the attribute level treated as the possible best or worst for each question.
RES	Responses to BWS questions that takes the value of 1 if the possible best or worst attribute level is selected by respondents and 0 otherwise.

The output has its attributes that consist of arguments assigned to this function (i.e., `id`, `response`, `choice.sets`, `attribute.levels`, `reverse`, `base.attribute`, `base.level`, `attribute.variables`, `effect`, `delete.best`, and `type`) and the following:

<code>design.matrix</code>	Design matrix.
<code>lev.var.wo.ref</code>	Names of attribute-level variables excluding base levels.
<code>freq.levels</code>	Frequency of attribute levels shown in all the questions.
<code>respondent.characteristics</code>	Names of variables corresponding to the respondents' characteristics: variables, except for the respondents' <code>id</code> and response variables, are considered the respondents' characteristics.

### Author(s)

Hideo Aizaki

### See Also

[support.BWS2-package](#), [oa.design](#), [clogit](#)

### Examples

```
# Load package survival used for a conditional logit model analysis of
# the responses
require(survival)

# Set a three-level orthogonal main-effect design (OMED) with
# four columns
omed <- matrix(
  c(1,3,2,3,
    3,1,2,2,
    3,3,3,1,
    2,3,1,2,
    2,2,2,1,
    1,1,1,1,
    1,2,3,2,
```



```

      3,2,1,3,
      2,1,3,3),
  nrow = 9, ncol = 4, byrow = TRUE)
omed
## The OMED is generated by executing the following lines of code:
## require(DoE.base)
## set.seed(123)
## omed <- data.matrix(oa.design(nl = c(3, 3, 3, 3)))

# Set the names of the attributes and attribute levels
attr.lev <- list(
  A = c("A1", "A2", "A3"), B = c("B1", "B2", "B3"),
  C = c("C1", "C2", "C3"), D = c("D1", "D2", "D3"))

# Convert the OMED into Case 2 BWS questions using three formats:
## Attribute column is located on the left-hand side
bws2.questionnaire(omed, attribute.levels = attr.lev,
  position = "left")
## Attribute column is located in the center
bws2.questionnaire(omed, attribute.levels = attr.lev,
  position = "center")
## Attribute column is located on the right-hand side
bws2.questionnaire(omed, attribute.levels = attr.lev,
  position = "right")

# Set respondent dataset containing 20 respondents who answered
# nine BWS questions
resp.data <- data.frame(
  id = c(1,2,3,4,5,6,7,8,9,10,11,12,13,14,15,16,17,18,19,20),
  B1 = c(2,2,2,1,2,4,2,2,2,2,1,2,2,4,2,3,2,3,2,2),
  W1 = c(1,1,1,4,1,3,3,1,4,1,4,4,1,1,1,4,1,1,4,4),
  B2 = c(1,1,2,1,1,3,1,1,1,1,2,1,1,2,1,3,1,3,1,1),
  W2 = c(2,4,4,4,4,2,4,2,4,2,4,4,4,4,2,4,4,1,4,4),
  B3 = c(1,1,2,1,2,1,1,1,1,1,2,1,1,1,2,1,1,1,3,1),
  W3 = c(4,4,4,2,4,4,4,3,4,3,4,4,3,1,4,4,3,4,4,4),
  B4 = c(1,2,2,1,2,1,2,2,2,1,2,4,2,2,2,4,2,2,1,2),
  W4 = c(3,4,3,2,3,3,3,1,4,3,3,3,4,3,3,1,4,3,4,4),
  B5 = c(1,2,2,1,2,1,2,1,3,1,1,1,3,1,1,1,3,1,1,1),
  W5 = c(4,1,3,4,4,4,3,4,4,4,2,4,4,2,4,2,1,4,3,4),
  B6 = c(2,4,2,1,2,1,4,3,1,1,1,1,3,2,1,2,3,4,1,4),
  W6 = c(4,1,4,4,4,3,3,4,4,2,4,2,4,4,3,4,4,1,4,1),
  B7 = c(3,3,2,3,4,1,2,3,3,3,2,1,3,2,1,2,3,1,3,2),
  W7 = c(1,4,1,4,1,4,4,4,4,2,4,4,4,4,4,4,4,4,4,4),
  B8 = c(1,1,2,1,2,2,1,1,1,2,1,2,1,1,1,3,1,1,1,1),
  W8 = c(3,3,3,3,3,3,3,3,4,3,3,3,4,3,3,4,3,4,3,4,3),
  B9 = c(3,3,3,1,3,1,1,3,1,1,1,1,3,1,1,1,3,1,1,1),
  W9 = c(2,1,2,2,2,2,4,2,4,2,4,2,2,2,2,4,1,2,2,2))

# Create a dataset and conduct a conditional logit model analysis
## Set response variables
response.vars <- names(resp.data)[2:19]
## Set a base level in each attribute
base.lev <- list(

```

```

A = c("A3"), B = c("B3"), C = c("C3"), D = c("D3")
## Paired model with attribute and attribute-level variables
pr.data <- bws2.dataset(
  data = resp.data,
  id = "id",
  response = response.vars,
  choice.sets = omed,
  attribute.levels = attr.lev,
  reverse = TRUE,
  base.level = base.lev,
  model = "paired")
attributes(pr.data)$design.matrix
head(pr.data, 12)
### Attribute variable D is omitted from the model
pr <- clogit(RES ~ A + B + C +
  A1 + A2 + B1 + B2 + C1 + C2 + D1 + D2 + strata(STR),
  data = pr.data)
pr
### Calculate coefficients of base level variables
b.pr <- coef(pr)
-sum(b.pr[4:5]) # attribute level A3
-sum(b.pr[6:7]) # attribute level B3
-sum(b.pr[8:9]) # attribute level C3
-sum(b.pr[10:11]) # attribute level D3
## Marginal model with attribute and attribute-level variables
mr.data <- bws2.dataset(
  data = resp.data,
  id = "id",
  response = response.vars,
  choice.sets = omed,
  attribute.levels = attr.lev,
  reverse = TRUE,
  base.level = base.lev,
  model = "marginal")
attributes(mr.data)$design.matrix
head(mr.data, 8)
### Attribute variable D is omitted from the model
mr <- clogit(RES ~ A + B + C +
  A1 + A2 + B1 + B2 + C1 + C2 + D1 + D2 + strata(STR),
  data = mr.data)
mr
### Calculate coefficients of base level variables
b.mr <- coef(mr)
-sum(b.mr[4:5]) # attribute level A3
-sum(b.mr[6:7]) # attribute level B3
-sum(b.mr[8:9]) # attribute level C3
-sum(b.mr[10:11]) # attribute level D3

# Calculate BWS scores
bwscores <- bws2.count(mr.data)
sum(bwscores, "level")
barplot(bwscores, "bw", "level")

```

---

bws2.questionnaire	<i>Converting an orthogonal main-effect design into Case 2 best–worst scaling questions</i>
--------------------	---------------------------------------------------------------------------------------------

---

### Description

This function converts an orthogonal main-effect design into a series of Case 2 best–worst scaling questions.

### Usage

```
bws2.questionnaire(choice.sets, attribute.levels = NULL,
  position = c("left", "center", "right"))
```

### Arguments

choice.sets	A data frame or matrix containing an orthogonal main-effect design.
attribute.levels	A list containing the names of attributes and their levels.
position	A character showing the position where attribute levels are shown in questions.

### Details

The `bws2.questionnaire()` function converts an orthogonal main-effect design (OMED) into a series of Case 2 best–worst scaling (BWS) questions and then displays the resultant questions on an R console.

An OMED is assigned to the argument `choice.sets`, which may be generated by R functions such as `oa.design()` in **DoE.base** or manually copied from text books or websites related to experimental designs.

Attributes and their levels are assigned to the argument `attribute.levels` in list format. For example, suppose that profiles have four attributes, each of which has three levels: attribute A with levels A1, A2, and A3; attribute B with levels B1, B2, and B3; attribute C with levels C1, C2, and C3; and attribute D with levels D1, D2, and D3. In this case, the argument is set as follows:

```
attribute.levels = list(
  A = c("A1", "A2", "A3"),
  B = c("B1", "B2", "B3"),
  C = c("C1", "C2", "C3"),
  D = c("D1", "D2", "D3"))
```

The argument `position` is used to change the position of the attribute column in the resultant questions. When setting `position = "left"`, the attribute column is located on the left-hand side as follows:

```
Q1
Attribute Best Worst
A1 [ ] [ ]
```

```
B1 [ ] [ ]
C1 [ ] [ ]
D1 [ ] [ ]
```

When setting position = "center", the attribute column is located in the center as follows:

```
Q1
Best Attribute Worst
[ ] A1 [ ]
[ ] B1 [ ]
[ ] C1 [ ]
[ ] D1 [ ]
```

When setting position = "right", the attribute column is located on the right-hand side as follows:

```
Q1
Best Worst Attribute
[ ] [ ] A1
[ ] [ ] B1
[ ] [ ] C1
[ ] [ ] D1
```

### Value

BWS questions converted from the design are returned.

### Author(s)

Hideo Aizaki

### See Also

[support.BWS2-package](#), [bws2.dataset](#), [oa.design](#)

### Examples

```
## See examples in bws2.dataset()
```

---

bws2.response

*Generating artificial responses to Case 2 best-worst scaling questions*

---

### Description

The function synthesizes responses to Case 2 best-worst scaling (BWS) questions on the basis of a paired (maximum difference) model.

### Usage

```
bws2.response(design, attribute.levels, base.level = NULL,
              b, n, detail = FALSE, seed = NULL)
```

## Arguments

design	A matrix or data frame containing an orthogonal main-effect design.
attribute.levels	A list containing the names of the attributes and their levels.
base.level	A list containing the base level for each attribute.
b	A vector containing parameters of independent variables in the model. The vector is used to calculate utilities for alternatives.
n	An integer value showing the number of respondents in the resultant dataset.
detail	A logical variable: if TRUE, the dataset is returned in a detailed format; and if FALSE (default), the dataset is returned in a simple format.
seed	Seed for a random number generator.

## Details

This function synthesizes responses to Case 2 BWS questions on the basis of a paired (maximum difference) model with attribute and/or level variables (see Model 1 and Model 2 in Aizaki and Fogarty (2019) for details). The model assumes that a profile has  $m$  attributes and each attribute has two or more levels. The profile is expressed as a combination of  $m$  levels. The number of possible pairs where level  $i$  is selected as the best and level  $j$  is selected as the worst ( $i \neq j$ ) from  $m$  levels is given by  $m \times (m - 1)$ . The model also assumes that the respondents select level  $i$  as the best and level  $j$  as the worst because the difference in utility between levels  $i$  and  $j$  is the highest among all of the  $m \times (m - 1)$  differences in utility. The systematic component of the utility is assumed to be a linear additive function of the attribute and level variables (Model 2 has no attribute variables). If the error component of the utility is assumed to be an independently, identically distributed type I extreme value, the probability of selecting level  $i$  as the best and level  $j$  as the worst is expressed as a conditional logit model.

Given the parameter values assigned to the argument `b` and the choice sets assigned to the argument `design`, the function `bws2.response` calculates the utility for the levels. The parameter values assigned to the argument `b` are set as a numerical vector where the elements correspond to the parameters of attribute and/or level variables. The variables are set according to the model specification. Assume that a profile has four attributes A, B, C, and D with three levels each (e.g., levels A1, A2, and A3 for attribute A). For Model 1, dummy-coded attribute variables and effect-coded level variables are used, an arbitrary attribute is set as the base (reference) level, and an arbitrary level for each attribute is set as the base level. If the parameters of the dummy-coded attribute variables  $D_A$ ,  $D_B$ , and  $D_C$  are 1.75, 1.31, and 0.84, respectively (i.e., attribute D is the base attribute), and those of the effect-coded level variables  $D_{A1}$ ,  $D_{A2}$ ,  $D_{B1}$ ,  $D_{B2}$ ,  $D_{C1}$ ,  $D_{C2}$ ,  $D_{D1}$ , and  $D_{D2}$  are -1.24, 0.18, -1.11, 0.10, -1.11, 0.39, -0.25, and -0.37, respectively (i.e., levels A3, B3, C3, and D3 are the base levels), a vector assigned to the argument `b` is given by `c(1.75, 1.31, 0.84, 0, -1.24, 0.18, -1.11, 0.10, -1.11, 0.39, -0.25, -0.37)`, where the fourth element corresponds to the base attribute (D), and thus has a value of 0. For Model 2, dummy-coded level variables are used and an arbitrary level is set as the base level. If the parameters of the dummy-coded level variables  $D_{A1}$ ,  $D_{A2}$ ,  $D_{A3}$ ,  $D_{B1}$ ,  $D_{B2}$ ,  $D_{B3}$ ,  $D_{C1}$ ,  $D_{C2}$ ,  $D_{C3}$ ,  $D_{D1}$ , and  $D_{D2}$  are -0.10, 1.32, 2.19, -0.42, 0.79, 1.69, -0.89, 0.62, 0.94, -0.87, and -0.99, respectively (i.e., level D3 is the base level), a vector assigned to the argument `b` is given as `c(-0.10, 1.32, 2.19, -0.42, 0.79, 1.69, -0.89, 0.62, 0.94, -0.87, -0.99, 0)`, where the last element corresponds to the base level (D3), and thus has a value of 0. After calculating the utility

values (by adding the calculated values of the systematic component of the utility and random numbers generated from a type I extreme value distribution), the function `bws2.response` finds the pair with the highest difference in utility from the  $m \times (m - 1)$  differences in utility.

### Value

The function `bws2.response` returns a data frame that contains synthesized responses to Case 2 BWS questions, in either a detailed or a simple format. The detailed format dataset contains the following variables, as well as independent variables according to the arguments `attribute.levels` and `base.level`.

<code>id</code>	An identification number of artificial respondents.
<code>Q</code>	A serial number of questions.
<code>PAIR</code>	A serial number of possible pairs of the best and worst levels for each question.
<code>BEST</code>	An alternative number treated as the best in the possible pairs of the best and worst levels.
<code>WORST</code>	An alternative number treated as the worst in the possible pairs of the best and worst levels.
<code>BEST.AT</code>	A character showing the attribute corresponding to the level treated as the best in the possible pairs of the best and worst levels for each question.
<code>WORST.AT</code>	A character showing the attribute corresponding to the level treated as the worst in the possible pairs of the best and worst levels for each question.
<code>BEST.LV</code>	A character showing the level treated as the best in the possible pairs of the best and worst levels for each question.
<code>WORST.LV</code>	A character showing the level treated as the worst in the possible pairs of the best and worst levels for each question.
<code>RES</code>	Responses to BWS questions, taking the value of 1 if a possible pair of the best and worst levels is selected by the synthesized respondents and 0 otherwise.
<code>STR</code>	A stratification variable used to identify each combination of respondent and question.

The simple format dataset contains the following variables.

<code>id</code>	An identification number of artificial respondents.
<code>Bi</code>	A variable describing the row number of the level that is selected as the best in the $i$ -th BWS question. The serial number of questions is appended to the tail of the variable name (e.g., B1 for the first question, B2 for the second question, and B3 for the third question).
<code>Wi</code>	A variable describing the row number of the level that is selected as the worst in the $i$ -th BWS question. The serial number of questions is appended to the tail of the variable name (e.g., W1 for the first question, W2 for the second question, and W3 for the third question).

The detailed format dataset includes a dependent variable and independent variables for the analysis, and thus is available for discrete choice analysis functions such as the function `clogit` in the **survival** package. On the other hand, the simple format dataset only contains variables that correspond to responses to BWS questions, as well as `id` variable. It must be converted using the function `bws2.dataset` in the package for the analysis. For details, see the Examples section.

## References

See the help page for [support.BWS2-package](#).

## See Also

[support.BWS2-package](#), [bws2.dataset](#), [clogit](#)

## Examples

```
# The following lines of code synthesize responses to Case 2 BWS questions,
# return them in detailed and simple format, and then fit the models using
# the function clogit in the survival package. The profiles are expressed
# by four attributes with three levels each. The parameters for the attribute
# and level variables are the same as those explained in the Details section.
```

```
## Not run:
# Load packages
library(survival)
library(support.BWS2)

# Set design for BWS2 questions
dsgn <- cbind(
  c(1, 1, 1, 2, 2, 2, 3, 3, 3),
  c(1, 2, 3, 1, 2, 3, 1, 2, 3),
  c(1, 3, 2, 3, 2, 1, 2, 1, 3),
  c(1, 2, 3, 3, 1, 2, 2, 3, 1))

# Synthesize responses to BWS2 questions (Model 1)
## attributes and their levels
attr.lev <- list(
  A = c("A1", "A2", "A3"), B = c("B1", "B2", "B3"),
  C = c("C1", "C2", "C3"), D = c("D1", "D2", "D3"))
## base levels
base.lev <- list(A = "A3", B = "B3", C = "C3", D = "D3")
## parameters
b1 <- c(1.75, 1.31, 0.84, 0,          # pars for A, B, C, and D
       -1.24, 0.18, -1.11, 0.10,    # pars for A1, A2, B1, and B2
       -1.11, 0.39, -0.25, -0.37) # pars for C1, C2, D1, and D2

## dataset in detailed format
dat.detail1 <- bws2.response(
  design = dsgn,
  attribute.levels = attr.lev,
  base.level = base.lev,
  b = b1,
  n = 100,
  detail = TRUE,
  seed = 123)
str(dat.detail1)
## dataset in simple format
dat.simple1 <- bws2.response(
  design = dsgn,
  attribute.levels = attr.lev,
```

```

    base.level = base.lev,
    b = b1,
    n = 100,
    detail = FALSE,
    seed = 123)
str(dat.simple1)

# Convert dat.simple1 into dataset for the analysis
rsp.var1 <- colnames(dat.simple1)[-1]
dat.simple1.pr <- bws2.dataset(
  data = dat.simple1,
  id = "id",
  response = rsp.var1,
  choice.sets = dsgn,
  attribute.levels = attr.lev,
  base.level = base.lev,
  model = "paired")

# Fit conditional logit models
mf1 <- RES ~ A + B + C + A1 + A2 + B1 + B2 + C1 + C2 +
  D1 + D2 + strata(STR)
out.detail1 <- clogit(formula = mf1, data = dat.detail1)
out.simple1 <- clogit(formula = mf1, data = dat.simple1.pr)
out.simple1
all.equal(coef(out.detail1), coef(out.simple1))

# Synthesize responses to BWS2 questions (Model 2)
## parameters
b2 <- c(-0.10, 1.32, 2.19, # pars for A1, A2, and A3
        -0.42, 0.79, 1.69, # pars for B1, B2, and B3
        -0.89, 0.62, 0.94, # pars for C1, C2, and C3
        -0.87, -0.99, 0) # pars for D1, D2, and D3
## dataset in detailed format
dat.detail2 <- bws2.response(
  design = dsgn,
  attribute.levels = attr.lev,
  b = b2,
  n = 100,
  detail = TRUE,
  seed = 123)
str(dat.detail2)
## dataset in simple format
dat.simple2 <- bws2.response(
  design = dsgn,
  attribute.levels = attr.lev,
  b = b2,
  n = 100,
  detail = FALSE,
  seed = 123)
str(dat.simple2)

# Convert dat.simple2 into dataset for the analysis

```



```
rsp.var2 <- colnames(dat.simple2)[-1]
dat.simple2.pr <- bws2.dataset(
  data = dat.simple2,
  id = "id",
  response = rsp.var2,
  choice.sets = dsgn,
  attribute.levels = attr.lev,
  model = "paired")

# Fit conditional logit models
mf2 <- RES ~ A1 + A2 + A3 + B1 + B2 + B3 + C1 + C2 + C3 +
  D1 + D2 + strata(STR)
out.detail2 <- clogit(formula = mf2, data = dat.detail2)
out.simple2 <- clogit(formula = mf2, data = dat.simple2.pr)
out.simple2
all.equal(coef(out.detail2), coef(out.simple2))

## End(Not run)
```

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