

# Package ‘rosqp’

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**Type** Package

**Title** Quadratic Programming Solver using the 'OSQP' Library

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**Description** Provides bindings to the 'OSQP' solver, which can solve sparse convex quadratic programming problems with optional equality and inequality constraints.

**License** Apache License 2.0

**Imports** Rcpp (>= 0.12.14), methods, Matrix, R6

**LinkingTo** Rcpp

**RoxygenNote** 6.0.1

**Collate** 'RcppExports.R' 'rosqp-package.R' 'solve.R' 'osqp.R'  
'params.R'

**NeedsCompilation** yes

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**osqp***OSQP Solver object***Description**

OSQP Solver object

**Usage**

```
osqp(P = NULL, q = NULL, A = NULL, l = NULL, u = NULL,
      pars = osqpSettings())
```

**Arguments**

P, A	sparse matrices of class dgCMatrix or coercible into such, with P positive semidefinite.
q, l, u	Numeric vectors, with possibly infinite elements in l and u
pars	list with optimization parameters, conveniently set with the function <b>osqpSettings</b> . For <code>osqpObject\$UpdateSettings(newPars)</code> only a subset of the settings can be updated once the problem has been initialized.

**Details**

Allows one to solve a parametric problem with for example warm starts between updates of the parameter, c.f. the examples. The object returned by `osqp` contains several methods which can be used to either update/get details of the problem, modify the optimization settings or attempt to solve the problem.

**Value**

An R6-object of class "rosqp\_model" with methods defined which can be further used to solve the problem with updated settings / parameters.

**Usage**

```
model = osqp(P=NULL, q=NULL, A=NULL, l=NULL, u=NULL, pars=osqpSettings())

model$Solve()
model$Update(q = NULL, l = NULL, u = NULL)
model$GetParams()
model$GetDims()
model$UpdateSettings(newPars = list())

model$GetData(element = c("P", "q", "A", "l", "u"))
model$WarmStart(x=NULL, y=NULL)

print(model)
```

## Method Arguments

**element** a string with the name of one of the matrices / vectors of the problem  
**newPars** list with optimization parameters

## See Also

[solve\\_osqp](#)

## Examples

```
## example, adapted from the osqp documentation
## Not run:
library(osqp)
library(Matrix)
set.seed(1)
n = 10
m = 1000
Ad = matrix(0, m, n)
Ad[sample(n*m, n*m/2, FALSE)] = runif(n*m/2)
x_true = (runif(n) > 0.8) * runif(n) / sqrt(n)
b = drop(Ad %*% x_true) + 0.5 * runif(m)
gammas = seq(1, 10, length.out = 11)

# % OSQP data
P = .sparseDiagonal(2*n+m, c(numeric(n), rep_len(1, m), numeric(n)))
q = numeric(2*n+m);
A = rbind(cbind(Ad,
                 -Diagonal(m),
                 sparseMatrix(numeric(), numeric(), x=numeric(), dims=c(m, n))),
           cbind(Diagonal(n),
                 sparseMatrix(numeric(), numeric(), x=numeric(), dims=c(n, m)),
                 -Diagonal(n)),
           cbind(Diagonal(n),
                 sparseMatrix(numeric(), numeric(), x=numeric(), dims=c(n, m)),
                 Diagonal(n)))
      )
l = c(b, rep_len(-Inf, n), numeric(n))
u = c(b, numeric(n), rep_len(Inf, n))

model = osqp(P, q, A, l, u, osqpSettings(verbose = FALSE))

res = sapply(gammas, function(gamma) {
  q_new = c(numeric(n+m), rep_len(gamma, n))
  model$update(q=q_new)
  res = model$Solve()
  res$x
})

## End(Not run)
```

---

**osqpSettings***Settings for OSQP*

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**Description**

For further details please consult the OSQP documentation: <https://osqp.readthedocs.io/>

**Usage**

```
osqpSettings(rho = 0.1, sigma = 1e-06, max_iter = 4000L,
             eps_abs = 0.001, eps_rel = 0.001, eps_prim_inf = 1e-04,
             eps_dual_inf = 1e-04, alpha = 1.6,
             linsys_solver = c(SUITESPARSE_LDL_SOLVER = 0L), delta = 1e-06,
             polish = FALSE, polish_refine_iter = 3L, verbose = TRUE,
             scaled_termination = FALSE, check_termination = 25L, warm_start = TRUE,
             scaling = 10L, adaptive_rho = 1L, adaptive_rho_interval = 0L,
             adaptive_rho_tolerance = 5, adaptive_rho_fraction = 0.4)
```

**Arguments**

<code>rho</code>	ADMM step rho
<code>sigma</code>	ADMM step sigma
<code>max_iter</code>	maximum iterations
<code>eps_abs</code>	absolute convergence tolerance
<code>eps_rel</code>	relative convergence tolerance
<code>eps_prim_inf</code>	primal infeasibility tolerance
<code>eps_dual_inf</code>	dual infeasibility tolerance
<code>alpha</code>	relaxation parameter
<code>linsys_solver</code>	which linear systems solver to use, 0=Suitesparse LDL, 1=MKL Pardiso
<code>delta</code>	regularization parameter for polish
<code>polish</code>	boolean, polish ADMM solution
<code>polish_refine_iter</code>	iterative refinement steps in polish
<code>verbose</code>	boolean, write out progress
<code>scaled_termination</code>	boolean, use scaled termination criteria
<code>check_termination</code>	integer, check termination interval. If 0, termination checking is disabled
<code>warm_start</code>	boolean, warm start
<code>scaling</code>	heuristic data scaling iterations. If 0, scaling disabled
<code>adaptive_rho</code>	cboolean, is rho step size adaptive?

adaptive\_rho\_interval  
Number of iterations between rho adaptations rho. If 0, it is automatic

adaptive\_rho\_tolerance  
Tolerance X for adapting rho. The new rho has to be X times larger or 1/X times smaller than the current one to trigger a new factorization

adaptive\_rho\_fraction  
Interval for adapting rho (fraction of the setup time)

**solve\_osqp***Sparse Quadratic Programming Solver***Description**

Solves

$$\arg \min_x 0.5x'Px + q'x$$

s.t.

$$l_i < (Ax)_i < u_i$$

for real matrices P (nxn, positive semidefinite) and A (mxn) with m number of constraints

**Usage**

```
solve_osqp(P = NULL, q = NULL, A = NULL, l = NULL, u = NULL,
pars = osqpSettings())
```

**Arguments**

- |         |  |
|---------|--|
| P, A    | sparse matrices of class dgCMatrix or coercible into such, with P positive semidefinite. |
| q, l, u | Numeric vectors, with possibly infinite elements in l and u                              |
| pars    | list with optimization parameters, conveniently set with the function osqpSettings       |

**Value**

A list with elements x (the primal solution), y (the dual solution), prim\_inf\_cert, dual\_inf\_cert, and info.

**References**

Stellato, B., Banjac, G., Goulart, P., Bemporad, A., Boyd and S. (2017). “OSQP: An Operator Splitting Solver for Quadratic Programs.” *ArXiv e-prints*. 1711.08013.

**See Also**

[osqp](#). The underlying OSQP documentation: <http://osqp.readthedocs.io/>

**Examples**

```
library(rosqp)
## example, adapted from ?quadprog::solve.QP
Dmat      <- diag(3)
dvec      <- c(0,-5,0)
Amat      <- matrix(c(-4, 2, 0, -3, 1, -2, 0, 0, 1),3,3)
bvec      <- c(-8,2,0)
res = solve_osqp(Dmat, dvec, Amat, bvec)
print(res$x)
```

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