

Package ‘lsasim’

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Title Functions to Facilitate the Simulation of Large Scale Assessment Data

Version 2.0.1

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BugReports <https://github.com/tmatta/lsasim/issues>

Description Provides functions to simulate data from large-scale educational assessments, including background questionnaire data and cognitive item responses that adhere to a multiple-matrix sampled design.

Imports mvtnorm

Depends R (>= 3.3.0)

License GPL-3

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beta_gen

Generate regression coefficients

Description

Uses the output from questionnaire_gen to generate linear regression coefficients.

Usage

```
beta_gen(data, MC = FALSE, MC_replications = 100, CI = c(0.005,
0.995), output_cov = FALSE, rename_to_q = FALSE, verbose = TRUE)
```

Arguments

| | |
|-----------------|---|
| data | output from the questionnaire_gen function with full_output = TRUE and theta = TRUE |
| MC | if TRUE, performs Monte Carlo simulation to estimate regression coefficients |
| MC_replications | for MC = TRUE, this represents the number of Monte Carlo subsamples calculated |
| CI | confidence interval for Monte Carlo simulations |
| output_cov | if TRUE, will also output the covariance matrix of YXW |
| rename_to_q | if TRUE, renames the variables from "x" and "w" to "q" |
| verbose | if 'FALSE', output messages will be suppressed (useful for simulations). Defaults to 'TRUE' |

Details

This function was primarily conceived as a subfunction of questionnaire_gen, when family = "gaussian", theta = TRUE, and full_output = TRUE. However, it can also be directly called by the user so they can perform further analysis.

The regression coefficients are calculated using the true covariance matrix either provided by the user upon calling of questionnaire_gen or randomly generated by that function if none was provided. In any case, that matrix is not sample-dependent, though it should be similar to the one observed in the generated data (especially for larger samples). One convenient way to check for this similarity is by running the function with MC = TRUE, which will generate a numeric estimate; the MC_replications argument can be then increased to improve the estimates at a often-noticeable cost in processing time. If MC = FALSE, the MC_replications will have no effect on the results. In any case, each subsample will always have the same size as the original sample.

If the background questionnaire contains categorical variables (W), the original covariance matrix cannot be used because it contains the covariances involving $Z \sim N(0, 1)$, which is the random variable that gets categorized into W . The case where W is always binomial is trivial, but if at least one W has more than two categories, the structure of the covariance matrix changes drastically. In this case, this function recalculates all covariances between θ , X and each category of W using some auxiliary internal functions which rely on the appropriate distribution (either multivariate normal or truncated normal). To avoid multicollinearity, the first categories of each W are dropped before the regression coefficients are calculated.

Value

By default, this function will output a vector of the regression coefficients, including intercept. If MC == TRUE, the output will instead be a matrix comparing the true regression coefficients obtained from the covariance matrix with expected values obtained from a Monte Carlo simulation, complete with 99% confidence interval.

If output_cov = TRUE, the output will be a list with two elements: the first one, betas, will contain the same output described in the previous paragraph. The second one, called vcov_YXW, contains the covariance matrix of the regression coefficients.

See Also

questionnaire_gen


```
block_design(n_blocks = 5, item_parameters = item_param, item_block_matrix = ib_matrix)
block_design(n_blocks = 5, item_parameters = item_param)
```

| | |
|----------------|---|
| booklet_design | <i>Assignment of item blocks to test booklets</i> |
|----------------|---|

Description

block_design creates a data frame that identifies which items corresponds to which booklets.

Usage

```
booklet_design(item_block_assignment, book_design = NULL)
```

Arguments

item_block_assignment
a matrix that identifies which items correspond to which block.

book_design
a matrix of indicators to assign blocks to booklets.

Details

If using booklet_design in tandem with block_design, item_block_assignment is the the first element of the returned list of block_design.

The columns of item_block_assignment represent each block while the rows represent the number of items in each block. Because the number of items per block can vary, the number of rows represents the block with the most items. The contents of item_block_assignment is the actual item numbers. The remainder of shorter blocks are filled with zeros.

The columns of book_design represent each book while the rows represent each block.

The default book_design assigns two blocks to every booklet in a spiral design. The number of default booklets is equal to the number of blocks and must be ≥ 3 . If `ncol(item_block_assignment) < 3`, book_design must be specified.

Examples

```
i_blk_mat <- matrix(seq(1:40), ncol = 5)
blk_book <- matrix(c(1, 0, 1, 0, 0, 0, 1, 0, 1, 0, 0, 0, 1, 0, 1,
                    0, 0, 0, 1, 1, 0, 1, 1, 0, 0, 1, 0, 0, 1, 0),
                  ncol = 5, byrow = TRUE)
booklet_design(item_block_assignment = i_blk_mat, book_design = blk_book)
booklet_design(item_block_assignment = i_blk_mat)
```

| | |
|----------------|---|
| booklet_sample | <i>Assignment of test booklets to test takers</i> |
|----------------|---|

Description

booklet_sample randomly assigns test booklets to test takers.

Usage

```
booklet_sample(n_subj, book_item_design, book_prob = NULL,
               resample = FALSE, e = 0.1, iter = 20)
```

Arguments

| | |
|------------------|---|
| n_subj | an integer, the number of subjects (test takers). |
| book_item_design | a data frame containing the items that belong to each booklet with booklets as columns and booklet item numbers as rows. See 'Details'. |
| book_prob | a vector of probability weights for obtaining the booklets being sampled. The default equally weights all books. |
| resample | logical indicating if booklets should be re-sampled to minimize differences. Can only be used when book_prob = NULL. |
| e | a number between 0 and 1 exclusive, re-sampling stopping criteria, the difference between the most sampled and least sampled booklets. |
| iter | an integer defining the number of iterations to reach e. |

Details

If using booklet_sample in tandem with booklet_design, book_item_design is the the first element of the returned list of block_design.

Examples

```
it_bk <- matrix(c(1, 2, 1, 4, 5, 4, 7, 8, 7, 10, 3, 10, 2, 6, 3, 5, 9, 6, 8, 0, 9),
                ncol = 3, byrow = TRUE)
booklet_sample(n_subj = 10, book_item_design = it_bk, book_prob = c(.2, .5, .3))
```

| | |
|-----------------|---|
| check_condition | <i>Check if an error condition is satisfied</i> |
|-----------------|---|

Description

Check if an error condition is satisfied

Usage

```
check_condition(condition, message, fatal = TRUE)
```

Arguments

| | |
|-----------|--|
| condition | logical test which if TRUE will cause the function to return an error message |
| message | error message to be displayed if condition is met. |
| fatal | if TRUE, error message is fatal, i.e., it will abort the parent function which called check_condition. |

| | |
|--------------------------|--|
| check_ignored_parameters | <i>Checks if provided parameters are ignored</i> |
|--------------------------|--|

Description

Internal function to match non-null parameters with a vector of ignored parameters

Usage

```
check_ignored_parameters(provided_parameters, ignored_parameters)
```

Arguments

| | |
|---------------------|-------------------------------|
| provided_parameters | vector of provided parameters |
| ignored_parameters | vector of ignored parameters |

Value

Warning message listing ignored parameters

 cor_gen

Generation of random correlation matrix

Description

Creates a random correlation matrix.

Usage

```
cor_gen(n_var, cov_bounds = c(-1, 1))
```

Arguments

n_var integer number of variables.
 cov_bounds a vector containing the bounds of the covariance matrix.

Details

The result from cor_gen can be used directly with the cor_matrix argument of questionnaire_gen.

Examples

```
cor_gen(n_var = 10)
```

 cov_gen

Generation of covariance matrices

Description

Construct covariance matrices for the generation of simulated test data.

Usage

```
cov_gen(pr_grp_1, n_fac, n_ind, Lambda = 0:1)
```

Arguments

pr_grp_1 proportion of observations in group 1. Can be a scalar or a vector
 n_fac number of factors
 n_ind number of indicators per factor
 Lambda either a matrix containing the factor loadings or a vector containing the lower and upper limits for a randomly-generated Lambda matrix

Value

A list containing three covariance matrices: vcov_yxw, vcov_yxz and vcov_yfz

Examples

```
vcov <- cov_gen(pr_grp_1 = .5, n_fac = 3, n_ind = 2)
str(vcov)
```

| | |
|-------------|---|
| cov_yfz_gen | <i>Generate latent regression covariance matrix</i> |
|-------------|---|

Description

Generates covariance matrix between Y, F and Z

Usage

```
cov_yfz_gen(n_ind, n_fac, Phi, n_z, sd_z, w_names, pr_grp_1)
```

Arguments

| | |
|----------|--|
| n_ind | number of indicator variables |
| n_fac | number of factors |
| Phi | latent regression correlation matrix |
| n_z | number of background variables |
| sd_z | standard deviation of background variables |
| w_names | names of W variables |
| pr_grp_1 | scalar or list of proportions of the first group |

| | |
|-------------|---|
| cov_yxw_gen | <i>Setup full YXW covariance matrix</i> |
|-------------|---|

Description

Setup full YXW covariance matrix

Usage

```
cov_yxw_gen(n_ind, n_z, Phi, n_fac, Lambda)
```

Arguments

| | |
|--------|---------------------------------------|
| n_ind | number of indicator variables |
| n_z | number of background variables |
| Phi | latent regression correlation matrix |
| n_fac | number of factor variables |
| Lambda | matrix containing the factor loadings |

| | |
|-------------|--|
| cov_yxz_gen | <i>Generate analytical covariance matrix</i> |
|-------------|--|

Description

Generate analytical covariance matrix

Usage

```
cov_yxz_gen(vcov_yxw, w_names, Phi, pr_grp_1, n_ind, n_fac, Lambda, var_z)
```

Arguments

| | |
|----------|--|
| vcov_yxw | covariance matrix between Y, X and W |
| w_names | name of the W variables |
| Phi | latent regression correlation matrix |
| pr_grp_1 | scalar or list of proportions of the first group |
| n_ind | number of indicator variables |
| n_fac | number of factors |
| Lambda | matrix containing the factor loadings |
| var_z | vector of variances of the background variables |

| | |
|--------------|---|
| gen_cat_prop | <i>Generates cat_prop for questionnaire_gen</i> |
|--------------|---|

Description

Generates cat_prop for questionnaire_gen

Usage

```
gen_cat_prop(n_X, n_W, n_cat_W)
```

Arguments

| | |
|---------|---|
| n_X | number of continuous variables |
| n_W | number of categorical variables |
| n_cat_W | number of categories per categorical variable |

| | |
|----------------|---|
| gen_variable_n | <i>Randomly generate the quantity of background variables</i> |
|----------------|---|

Description

Randomly generate the quantity of background variables

Usage

```
gen_variable_n(n_vars, n_X, n_W, theta = FALSE)
```

Arguments

| | |
|--------|--|
| n_vars | number of variables in total (n_X + n_W + theta) |
| n_X | number of continuous variables |
| n_W | number of categorical variables |
| theta | number of latent variables |

Value

vector with n_vars, n_X and n_W

| | |
|---------|--|
| irt_gen | <i>Simulate item responses from an item response model</i> |
|---------|--|

Description

Creates a data frame of item parameters.

Usage

```
irt_gen(theta, a_par = 1, b_par, c_par = 0, D = 1)
```

Arguments

| | |
|-------|---|
| theta | numeric ability estimate. |
| a_par | numeric discrimination parameter. |
| b_par | numeric or vector of numerics difficulty parameter(s). |
| c_par | numeric guessing parameter. |
| D | numeric parameter to specify logisitic (1) or normal (1.7). |

Examples

```
irt_gen(theta = 0.2, b_par = 0.6)
irt_gen(theta = 0.2, a_par = 1.15, b_par = 0.6)
irt_gen(theta = 0.2, a_par = 1.15, b_par = 0.6, c_par = 0.2)
```

 item_gen

Generation of item parameters from uniform distributions

Description

Creates a data frame of item parameters.

Usage

```
item_gen(b_bounds, a_bounds = NULL, c_bounds = NULL, thresholds = 1,
         n_1pl = NULL, n_2pl = NULL, n_3pl = NULL)
```

Arguments

| | |
|------------|---|
| b_bounds | a vector containing the bounds of the the uniform distribution for sampling the difficulty parameters. |
| a_bounds | a vector containing the bounds of the the uniform distribution for sampling the discrimination parameters. |
| c_bounds | a vector containing the bounds of the the uniform distribution for sampling the guessing parameters. |
| thresholds | if numeric, number of thresholds for 1- and/or 2- parameter dichotomous items, if vector, each element is the number of thresholds corresponding to the vector of n_1pl and/or n_2pl. |
| n_1pl | if integer, number of 1-parameter dichotomous items, if vector, each element is the number of partial credit items corresponding to thresholds number. |
| n_2pl, | if integer, number of 2-parameter dichotomous items, if vector, each element is the number of generalized partial credit items corresponding to thresholds number. |
| n_3pl | integer, number of 3-parameter items. |

Details

The data frame includes two variables p and k which indicate the number of parameters and the number of thresholds, respectively

Examples

```
item_gen(b_bounds = c(-2, 2), a_bounds = c(.75, 1.25),
         thresholds = c(1, 2, 3), n_1pl = c(5, 5, 5), n_2pl = c(0, 0, 5))
item_gen(b_bounds = c(-2, 2), a_bounds = c(.75, 1.25), c_bounds = c(0, .25),
         n_2pl = 5, n_3pl = 5)
```

| | |
|------------|--|
| lambda_gen | <i>Randomly generate a matrix of factor loadings</i> |
|------------|--|

Description

Randomly generate a matrix of factor loadings

Usage

```
lambda_gen(n_ind, n_fac, limits, row_names, col_names)
```

Arguments

| | |
|-----------|--|
| n_ind | number of indicators per factor |
| n_fac | number of factors |
| limits | vector with lower and upper limits for the uniformly-generated Lambdas |
| row_names | vector with row names |
| col_names | vector with col names |

| | |
|--------|---|
| lsasim | <i>lsasim: A package for simulating large scale assessment data</i> |
|--------|---|

Description

lsasim: A package for simulating large scale assessment data

Core functions

- `block_design` Assignment of test items to blocks.
- `booklet_design` Assignment of item blocks to test booklets.
- `booklet_sample` Assignment of test booklets to test takers.
- `item_gen` Generation of random correlation matrix.
- `proportion_gen` Generation of random cumulative proportions.
- `questionnaire_gen` Generation of ordinal and continuous variables.
- `response_gen` Generation of item response data using a rotated block design.

Ancillary functions

- `irt_gen` Generate item responses from an IRT model. Used by `response_gen`.
- `beta_gen` Calculates analytical and numeric regression coefficients for the background questionnaire responses as functions of the latent variable. Used by `questionnaire_gen`

pisa2012_math_block *PISA 2012 mathematics item - item block indicator matrix*

Description

A dataset containing indicators associating those PISA 2012 mathematics items to the PISA 2012 mathematics item blocks.

Usage

pisa2012_math_block

Format

A data frame with 109 rows and 12 variables:

item_name Item name.

item_no Item numbers.

block1 Indicator specifying those items in block 1.

block2 Indicator specifying those items in block 2.

block3 Indicator specifying those items in block 3.

block4 Indicator specifying those items in block 4.

block5 Indicator specifying those items in block 5.

block6 Indicator specifying those items in block 6.

block7 Indicator specifying those items in block 7.

block8 Indicator specifying those items in block 8.

block9 Indicator specifying those items in block 9.

block10 Indicator specifying those items in block 10.

Source

PISA 2012 Technical Report, ANNEX A. Table A.1: PISA 2012 Main Survey mathematics item classification. Pages 406 - 409. <https://www.oecd.org/pisa/pisaproducts/PISA-2012-technical-report-final.pdf>

pisa2012_math_booklet *PISA 2012 mathematics item block - test booklet indicator matrix*

Description

A dataset containing indicators associating those PISA 2012 mathematics item blocks to the PISA 2012 mathematics standard test booklet set.

Usage

pisa2012_math_booklet

Format

A data frame with 13 rows and 10 variables:

booklet Booklet name.

b1 Indicator specifying those test booklets that use item block 1.

b2 Indicator specifying those test booklets that use item block 2.

b3 Indicator specifying those test booklets that use item block 3.

b4 Indicator specifying those test booklets that use item block 4.

b5 Indicator specifying those test booklets that use item block 5.

b6 Indicator specifying those test booklets that use item block 6.

b7 Indicator specifying those test booklets that use item block 7.

b8 Indicator specifying those test booklets that use item block 8.

b9 Indicator specifying those test booklets that use item block 9.

Source

PISA 2012 Technical Report, Chapter 2: Test Design and Test Development. Figure 2.1: Cluster rotation design used to form standard test booklets for PISA 2012. Page 31. <https://www.oecd.org/pisa/pisaproducts/PISA-2012-technical-report-final.pdf>

pisa2012_math_item *Item parameter estimates for 2012 PISA mathematics assessment*

Description

A dataset containing the estimated item parameters for the PISA 2012 mathematics assessment.

Usage

pisa2012_math_item

Format

A data frame with 109 rows and 5 variables:

item_name Item name.

item Item number.

b b parameter estimate.

d1 d1 parameter estimate (for partial credit items).

d2 d2 parameter estimate (for partial credit items).

Source

PISA 2012 Technical Report, ANNEX A. Table A.1: PISA 2012 Main Survey mathematics item classification. Pages 406 - 409. <https://www.oecd.org/pisa/pisaproducts/PISA-2012-technical-report-final.pdf>

pisa2012_q_cormat

Correlation matrix from the PISA 2012 background questionnaire

Description

A correlation matrix for the selected background questionnaires and mathematics plausible value.

Usage

pisa2012_q_cormat

Format

An 19 by 19 matrix.

Details

A heterogenous correlation matrix, consisting of polyserial correlations between numeric and ordinal variables, and polychoric correlations between ordinal variables.

| Row/Col | Name | Label | Type |
|---------|---------|------------------------------|---------|
| 1 | ST93Q01 | Perseverance | Ordinal |
| 2 | ST93Q03 | Perseverance | Ordinal |
| 3 | ST93Q04 | Perseverance | Ordinal |
| 4 | ST93Q06 | Perseverance | Ordinal |
| 5 | ST93Q07 | Perseverance | Ordinal |
| 6 | ST94Q05 | Openness for Problem Solving | Ordinal |
| 7 | ST94Q06 | Openness for Problem Solving | Ordinal |
| 8 | ST94Q09 | Openness for Problem Solving | Ordinal |
| 9 | ST94Q10 | Openness for Problem Solving | Ordinal |
| 10 | ST94Q14 | Openness for Problem Solving | Ordinal |

| | | | |
|----|----------|-------------------------------|------------|
| 11 | ST88Q01 | Attitude toward School | Ordinal |
| 12 | ST88Q02 | Attitude toward School | Ordinal |
| 13 | ST88Q03 | Attitude toward School | Ordinal |
| 14 | ST88Q04 | Attitude toward School | Ordinal |
| 15 | ST89Q02 | Attitude toward School | Ordinal |
| 16 | ST89Q03 | Attitude toward School | Ordinal |
| 17 | ST89Q04 | Attitude toward School | Ordinal |
| 18 | ST89Q05 | Attitude toward School | Ordinal |
| 19 | 1PV1MATH | Mathematics Plausible Value 1 | Continuous |

Warning

These data are for illustration purposes only. Handling of missing data may not be suitable for valid inferences.

Source

Raw data can be found at <https://www.oecd.org/pisa/pisaproducts/pisa2012database-downloadabledata.htm> Codebook can be found at https://www.oecd.org/pisa/pisaproducts/PISA12_stu_codebook.pdf

pisa2012_q_marginal *Marginal proportions from the PISA 2012 background questionnaire*

Description

Marginal proportions from the PISA 2012 background questionnaire

Usage

pisa2012_q_marginal

Format

A list of 19 named numeric vectors.

Details

A list containing the marginal cumulative proportions for each response category from the PISA 2012 background questionnaire. Elements 1 - 18 are the marginal proportions for the selected items from the background questionnaire. Element 19 is the marginal proportion for the selected mathematics plausible value.

| Row/Col | Name | Label | Length |
|---------|---------|--------------|--------|
| 1 | ST93Q01 | Perseverance | 5 |
| 2 | ST93Q03 | Perseverance | 5 |
| 3 | ST93Q04 | Perseverance | 5 |

| | | | |
|----|----------|-------------------------------|---|
| 4 | ST93Q06 | Perseverance | 5 |
| 5 | ST93Q07 | Perseverance | 5 |
| 6 | ST94Q05 | Openness for Problem Solving | 5 |
| 7 | ST94Q06 | Openness for Problem Solving | 5 |
| 8 | ST94Q09 | Openness for Problem Solving | 5 |
| 9 | ST94Q10 | Openness for Problem Solving | 5 |
| 10 | ST94Q14 | Openness for Problem Solving | 5 |
| 11 | ST88Q01 | Attitude toward School | 4 |
| 12 | ST88Q02 | Attitude toward School | 4 |
| 13 | ST88Q03 | Attitude toward School | 4 |
| 14 | ST88Q04 | Attitude toward School | 4 |
| 15 | ST89Q02 | Attitude toward School | 4 |
| 16 | ST89Q03 | Attitude toward School | 4 |
| 17 | ST89Q04 | Attitude toward School | 4 |
| 18 | ST89Q05 | Attitude toward School | 4 |
| 19 | 1PV1MATH | Mathematics Plausible Value 1 | 1 |

Warning

These data are for illustration purposes only. Handling of missing data may not be suitable for valid inferences.

Source

Raw data can be found at <https://www.oecd.org/pisa/pisaproducts/pisa2012database-downloadabledata.htm> Codebook can be found at https://www.oecd.org/pisa/pisaproducts/PISA12_stu_codebook.pdf

| | |
|----------------|--|
| proportion_gen | <i>Generation of random cumulative proportions</i> |
|----------------|--|

Description

Creates a list of vectors, each containing the randomly generated cumulative proportions of a discrete variable.

Usage

```
proportion_gen(cat_options, n_cat_options)
```

Arguments

cat_options vector of response types.
n_cat_options vector of number of items of the corresponding response type.

Details

cat_options and n_cat_options must be the same length. cat_options = 1 is a continuous variable.

The result from proportion_gen can be used directly with the cat_prop argument of questionnaire_gen.

Examples

```
proportion_gen(cat_options = c(1, 2, 3), n_cat_options = c(2, 2, 2))
proportion_gen(cat_options = c(1, 3), n_cat_options = c(4, 5))
```

| | |
|-------------------|---|
| pt_bis_conversion | <i>Analytical point-biserial conversion</i> |
|-------------------|---|

Description

Analytical point-biserial conversion

Usage

```
pt_bis_conversion(bis_cor, pr_group1)
```

Arguments

| | |
|-----------|------------------------|
| bis_cor | biserial correlations |
| pr_group1 | probability of group 1 |

| | |
|-------------------|---|
| questionnaire_gen | <i>Generation of ordinal and continuous variables</i> |
|-------------------|---|

Description

Creates a data frame of discrete and continuous variables based on several arguments.

Usage

```
questionnaire_gen(n_obs, cat_prop = NULL, n_vars = NULL, n_X = NULL,
  n_W = NULL, cor_matrix = NULL, cov_matrix = NULL, c_mean = NULL,
  c_sd = NULL, theta = FALSE, family = NULL, full_output = FALSE,
  verbose = TRUE)
```

Arguments

| | |
|--------------------------|--|
| <code>n_obs</code> | number of observations to generate. |
| <code>cat_prop</code> | list of cumulative proportions for each item. If <code>theta = TRUE</code> , the first element of <code>cat_prop</code> must be a scalar 1, which corresponds to the <code>theta</code> . |
| <code>n_vars</code> | total number of variables in the questionnaire, including the continuous and the discrete covariates (X and W , respectively), as well as the latent trait (Y , which is equivalent to θ). |
| <code>n_X</code> | number of continuous background variables. If not provided, a random number of continuous variables will be generated. |
| <code>n_W</code> | either a scalar corresponding to the number of categorical background variables or a list of scalars representing the number of categories for each categorical variable. If not provided, a random number of categorical variables will be generated. |
| <code>cor_matrix</code> | latent correlation matrix. The first row/column corresponds to the latent trait (Y). The other rows/columns correspond to the continuous (X or Z) or the discrete (W) background variables, in the same order as <code>cat_prop</code> . |
| <code>cov_matrix</code> | latent covariance matrix, formatted as <code>cor_matrix</code> . |
| <code>c_mean</code> | is a vector of population means for each continuous variable (Y and X). |
| <code>c_sd</code> | is a vector of population standard deviations for each continuous variable (Y and X). |
| <code>theta</code> | if <code>TRUE</code> , the first continuous variable will be labeled 'theta'. Otherwise, it will be labeled 'q1'. |
| <code>family</code> | distribution of the background variables. Can be <code>NULL</code> (default) or 'gaussian'. |
| <code>full_output</code> | if <code>TRUE</code> , output will be a list containing the questionnaire data as well as several objects that might be of interest for further analysis of the data. |
| <code>verbose</code> | if 'FALSE', output messages will be suppressed (useful for simulations). Defaults to 'TRUE'. |

Details

In essence, this function begins by checking the validity of the arguments provided and randomly generating those that are not. Then, it will call one of two internal functions, `questionnaire_gen_polychoric` or `questionnaire_gen_family`. The former corresponds to the exact functionality of `questionnaire_gen` on `lsasim 1.0.1`, where the polychoric correlations are used to generate the background questionnaire data. If `family != NULL`, however, `questionnaire_gen_family` is called to generate data based on a joint probability distribution. Additionally, if `full_output == TRUE`, the external function `beta_gen` is called to generate the correlation coefficients based on the true covariance matrix. The latter argument also changes the class of the output of this function.

What follows are some notes on the input parameters.

`cat_prop` is a list where `length(cat_prop)` is the number of items to be generated. Each element of the list is a vector containing the marginal cumulative proportions for each category, summing to 1. For continuous items, the associated element in the list should be 1.

`cor_matrix` and `cov_matrix` are the correlation and covariance matrices that are the same size as `length(cat_prop)`. The correlations related to the correlation between variables on the latent scale.

`c_mean` and `c_sd` are each vectors whose length is equal to the number of continuous variables as specified by `cat_prop`. The default is to keep the continuous variables with mean zero and standard deviation of one.

`theta` is a logical indicator that determines if the first continuous item should be labeled *theta*. If `theta == TRUE` but there are no continuous variables generated, a random number of background variables will be generated.

If `cat_prop` is a named list, those names will be used as variable names for the returned `data.frame`. Generic names will be provided to the variables if `cat_prop` is not named.

As an alternative to providing `cat_prop`, the user can call this function by specifying the total number of variables using `n_vars` or the specific number of continuous and categorical variables through `n_X` and `n_W`. All three arguments should be provided as scalars; `n_W` may also be provided as a list, where each element contains the number of categories for one background variable. Alternatively, `n_W` may be provided as a one-element list, in which case it will be interpreted as all the categorical variables having the same number of categories.

If `family == "gaussian"`, the questionnaire will be generated assuming that all the variables are jointly-distributed as a multivariate normal. The default behavior is `family == NULL`, where the data is generated using the polychoric correlation matrix, with no distributional assumptions.

When data is generated using the Gaussian distribution, the matrices provided correspond to the relations between the latent variable θ , the continuous covariates X and the continuous covariates— $Z \sim N(0, 1)$ —that will later be discretized into categorical covariates W . That is why there will be a difference between labels and lengths between `cov_matrix` and `vcov_YXW`. For more information, check the references cited later in this document.

Value

By default, the function returns a `data.frame` object where the first column ("subject") is a $1, \dots, n$ ordered list of the n observations and the other columns correspond to the questionnaire answers. If `theta = TRUE`, the first column after "subject" will be the latent variable θ ; in any case, the continuous variables always come before the categorical ones.

If `full_output = TRUE`, the output will be a list containing the following objects:

| | |
|---------------------------|--|
| <code>bg</code> | a data frame containing the background questionnaire answers (i.e., the same object as described above). |
| <code>c_mean</code> | identical to the input argument of the same name. Read the Details section for more information. |
| <code>c_sd</code> | identical to the input argument of the same name. Read the Details section for more information. |
| <code>cat_prop</code> | identical to the input argument of the same name. Read the Details section for more information. |
| <code>cat_prop_W_p</code> | a list containing the probabilities for each category of the categorical variables (<code>cat_prop_W</code> contains the cumulative probabilities). |
| <code>cor_matrix</code> | identical to the input argument of the same name. Read the Details section for more information. |

| | |
|--------------------------------|--|
| <code>cov_matrix</code> | identical to the input argument of the same name. Read the Details section for more information. |
| <code>family</code> | identical to the input argument of the same name. |
| <code>n_obs</code> | identical to the input argument of the same name. |
| <code>n_tot</code> | named vector containing the number of total variables, the number of continuous background variables (i.e., the total number of background variables except θ) and the number of categorical variables. |
| <code>n_W</code> | vector containing the number of categorical variables. |
| <code>n_X</code> | vector containing the number of continuous variables (except θ). |
| <code>sd_YXW</code> | vector with the standard deviations of all the variables |
| <code>sd_YXZ</code> | vector containing the standard deviations of θ , the background continuous variables (X) and the Normally-distributed variables Z which will generate the background categorical variables (W). |
| <code>theta</code> | identical to the input argument of the same name. |
| <code>var_W</code> | list containing the variances of the categorical variables. |
| <code>var_YX</code> | list containing the variances of the continuous variables (including θ) |
| <code>linear_regression</code> | This list is printed only if <code>'theta = TRUE'</code> , <code>'family = "gaussian"'</code> and <code>'full_output = TRUE'</code> . It contains one vector named <code>'betas'</code> and one table named <code>'cov_YXW'</code> . The former displays the true linear regression coefficients of <i>theta</i> on the background questionnaire answers; the latter contains the covariance matrix between all these variables. |

Note

If `family == NULL`, the number of levels for each categorical variables will be determined by the number of categories observed in the generated data. This means it might be smaller than the number of categories determined by `cat_prop`, which is more likely to happen with small values of `n_obs`. If `family == "gaussian"`, however, the number of levels for the categorical variables will always be equivalent to the number of possible categories, even if they are not observed in the data.

It is important to note that all arguments directly related to variable parameters (e.g. `'cat_prop'`, `'cov_matrix'`, `'cor_matrix'`, `'c_mean'`, `'c_sd'`) have the following order: Y, X, W (missing variables are skipped). This must be kept in mind when using real-life data as input to `'questionnaire_gen'`, as the input might need to be reordered to fit the expectations of the function.

References

Matta, T. H., Rutkowski, L., Rutkowski, D., & Liaw, Y. L. (2018). Isasim: an R package for simulating large-scale assessment data. *Large-scale Assessments in Education*, 6(1), 15.

See Also

`beta_gen`

Examples

```
# Using polychoric correlations
props <- list(c(1), c(.25, .6, 1)) # one continuous, one with 3 categories
questionnaire_gen(n_obs = 10, cat_prop = props,
                 cor_matrix = matrix(c(1, .6, .6, 1), nrow = 2),
                 c_mean = 2, c_sd = 1.5, theta = TRUE)

# Using the multinomial distribution
# two categorical variables W: one has 2 categories, the other has 3
props <- list(1, c(.25, 1), c(.2, .8, 1))
yw_cov <- matrix(c(1, .5, .5, .5, 1, .8, .5, .8, 1), nrow = 3)
questionnaire_gen(n_obs = 10, cat_prop = props, cov_matrix = yw_cov,
                 family = "gaussian")

# Not providing covariance matrix
questionnaire_gen(n_obs = 10,
                 cat_prop = list(c(.25, 1), c(.6, 1), c(.2, 1)),
                 family = "gaussian")
```

questionnaire_gen_family

Generation of ordinal and continuous variables

Description

Creates a data frame of discrete and continuous variables based on a latent correlation matrix and marginal proportions.

Usage

```
questionnaire_gen_family(n_obs, cat_prop, cov_matrix,
                        family = "gaussian", theta = FALSE, mean_yx = NULL, n_cats)
```

Arguments

| | |
|------------|---|
| n_obs | number of observations to generate. |
| cat_prop | list of cumulative proportions for each item. |
| cov_matrix | covariance matrix. between the latent trait (Y) and the background variables (X and Z). |
| family | distribution of the background variables. Can be NULL or 'gaussian'. |
| theta | if TRUE will label the first continuous variable 'theta'. |
| mean_yx | vector with the means of the latent trait (Y) and the continuous background variables with flexible variance (X). |
| n_cats | vector with number of categories for each W. |

questionnaire_gen_polychoric

Generation of ordinal and continuous variables

Description

Creates a data frame of discrete and continuous variables based on a latent correlation matrix and marginal proportions.

Usage

```
questionnaire_gen_polychoric(n_obs, cat_prop, cor_matrix, c_mean, c_sd,
                             theta)
```

Arguments

| | |
|------------|---|
| n_obs | number of observations to generate. |
| cat_prop | list of cumulative proportions for each item. |
| cor_matrix | latent correlation matrix. |
| c_mean | is a vector of population means for each continuous variable. |
| c_sd | is a vector of population standard deviations for each continuous variable. |
| theta | if TRUE will label the first continuous variable 'theta'. |

response_gen

Generation of item response data using a rotated block design

Description

Creates a data frame of discrete item responses based on.

Usage

```
response_gen(subject, item, theta, a_par = NULL, b_par, c_par = NULL,
             d_par = NULL, item_no = NULL, ogive = "Logistic")
```

Arguments

| | |
|---------|--|
| subject | integer vector of test taker IDs. |
| item | integer vector of item IDs. |
| theta | numeric vector of latent test taker abilities. |
| a_par | numeric vector of item a parameters for each item. |
| b_par | numeric vector of item b parameters for each item. |

c_par numeric vector of item c parameters for each item.
d_par list of numeric vectors of item threshold parameters for each item.
item_no vector of item numbers the correspond the item parameters
ogive can be "Normal" or "Logistic".

Details

subject and item must be equal lengths.

Generalized partial credit models (!is.null(d_par)) uses threshold parameterization.

Examples

```

set.seed(1234)
s_id <- c(1, 1, 1, 1, 1, 1, 1, 2, 2, 2, 2, 2, 2, 2, 2, 3, 3, 3, 3, 3, 3, 3, 3, 4, 4,
         4, 4, 4, 4, 4, 5, 5, 5, 5, 5, 5, 5, 5, 6, 6, 6, 6, 6, 6, 7, 7, 7, 7, 7,
         7, 7, 8, 8, 8, 8, 8, 8, 9, 9, 9, 9, 9, 9, 9, 10, 10, 10, 10, 10, 10,
         10, 11, 11, 11, 11, 11, 11, 12,12, 12, 12, 12, 12, 12, 13, 13, 13, 13,
         13, 13, 14, 14, 14, 14, 14, 14, 15, 15, 15, 15, 15, 15, 16,16, 16, 16,
         16, 16, 17, 17, 17, 17, 17, 17, 17, 17, 18, 18, 18, 18, 18, 18, 19, 19,
         19, 19, 19,19, 20, 20, 20, 20, 20, 20, 20, 20)
i_id<- c(1, 4, 7, 10, 3, 6, 9, 1, 4, 7, 10, 2, 5, 8, 1, 4, 7, 10, 3, 6, 9, 1, 4,
         7, 10, 3, 6, 9, 1, 4, 7, 10, 3, 6, 9, 2, 5, 8, 3, 6, 9, 1, 4, 7, 10, 2,
         5, 8, 2, 5, 8, 3, 6, 9, 1, 4, 7, 10, 2, 5, 8, 1, 4, 7, 10, 3, 6, 9, 2,
         5, 8, 3, 6, 9, 1, 4, 7, 10, 3, 6, 9, 2, 5, 8, 3, 6, 9, 2, 5, 8, 3, 6, 9,
         2, 5, 8, 3, 6, 9, 2, 5, 8, 3, 6, 9, 1, 4, 7, 10, 2, 5, 8, 1, 4, 7, 10,
         2, 5, 8, 1, 4, 7, 10, 2, 5, 8, 1, 4, 7, 10, 3, 6, 9)
bb <- c(-1.72, -1.85, 0.98, 0.07, 1.00, 0.13, -0.43, -0.29, 0.86, 1.26)
aa <- c(1.28, 0.78, 0.98, 1.21, 0.83, 1.01, 0.92, 0.76, 0.88, 1.11)
cc <- rep(0, 10)
dd <- list(c(0, 0, -0.13, 0, -0.19, 0, 0, 0, 0, 0),
          c(0, 0, 0.13, 0, 0.19, 0, 0, 0, 0, 0))
response_gen(subject = s_id, item = i_id, theta = rnorm(20, 0, 1),
            b_par = bb, a_par = aa, c_par = cc, d_par = dd)

```

run_condition_checks *Wrapper-function for check_condition*

Description

Wrapper-function for check_condition

Usage

```
run_condition_checks(n_cats, n_vars, n_X, n_W, theta, cat_prop, cor_matrix,
  cov_matrix, c_mean, c_sd)
```

Arguments

| | |
|------------|---|
| n_cats | vector with number of categories for each categorical variable (W) |
| n_vars | number of variables (Y, X and W) |
| n_X | number of continuous background variables (X) |
| n_W | number of categorical variables (W) |
| theta | is there a latent variable (Y)? |
| cat_prop | list of vectors with the cumulative proportions of the background variables |
| cor_matrix | correlation matrix of YXW |
| cov_matrix | covariance matrix of YXW |
| c_mean | vector of means of all variables (YXW) |
| c_sd | vector of standard deviations of all variables (YXW) |

| | |
|----------------|------------------------------------|
| split_cat_prop | <i>Split variables in cat_prop</i> |
|----------------|------------------------------------|

Description

Split variables in cat_prop

Usage

```
split_cat_prop(cat_prop, keepYX = FALSE)
```

Arguments

| | |
|----------|--|
| cat_prop | list corresponding to cat_prop from questionnaire_gen |
| keepYX | if TRUE, output will be a list separating cat_prop_YX and cat_prop_W. IF FALSE, it will be a list with these objects combined (just like cat_prop) |

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