

# Package ‘b6e6rl’

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**Type** Package

**Title** Adaptive differential evolution, b6e6rl variant

**Version** 1.1

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**Description** This package contains b6e6rl algorithm, adaptive differential evolution for global optimization.

**License** GPL-2

**NeedsCompilation** no

**Repository** CRAN

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b6e6rl	<i>Adaptive differential evolution, b6e6rl algorithm</i>
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## Description

This function searches for the global minimum using b6e6rl variant of adaptive differential evolution.

## Usage

```
b6e6rl(fn_name, a, b, N, my_eps, max_evals, n0, delta)
```

**Arguments**

fn_name	Name of function which minimum is to find
a	Vector of lower bounds of the search space (length=dimension of the search space)
b	Vector of upper bounds of the search space (length=dimension of the search space)
N	Size of population
my_eps	Small positive value, the algorithm stops when fmax-fmin < my_eps
max_evals	Maximum count of function evaluations per one dimension of the problem
n0	Input parameter controlling the competition of the strategies, usually n0=2
delta	Input parameter (critical probability), usually delta=1/60

**Value**

x_star	Aproximation of the global minimum point found by search (vector of length=d)
fn_star	Functional value at x_star
func_evals	Count of function evaluations
success	Count of successful generations of the trial point
nrst	Count of resets, when any probability value is less than delta
cni	Counts of successful selection of each strategy (vector of length=12)

**Author(s)**

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**References**

- Tvrdik, J. Adaptation in Differential Evolution: A Numerical Comparison. APPL SOFT COMPUT. 2009, Vol. 9, pp. 1149-1155.
- Tvrdik, J. Self-adaptive Variants of Differential Evolution with Exponential Crossover. Analele Universitatii de Vest, Timisoara.Seria Matematica-Informatica.. 2009, Vol. 47, pp. 151- 168.

**Examples**

```
##Example of the b6e6r1 call

fn_name <- ("f_dejong")
a <- c(-30,-30,-30)
b <- c(30,30,30)
N <- 60
max_evals <- 20000
my_eps <- 0.000001
n0 <- 2
delta <- 1/(5*12)

b6e6r1(fn_name, a, b, N, my_eps, max_evals, n0, delta)
```

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$f_{\text{dejong}}$	<i>Test function</i>
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**Description**

First deJong problem (sphere). The global minimum:  $f(x)=0$ ,  $x(i)=0$ ,  $i=1:n$ ;  $n$  is dimension of the search space

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$f_{\text{rastrigin}}$	<i>Test function</i>
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**Description**

Rastring (multimodal separable). The global minimum:  $f(x)=0$ ;  $x(i)=0$ ,  $i=1:n$ ;  $n$  is dimension of the search space

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$f_{\text{rosenbrock}}$	<i>Test function</i>
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**Description**

Rosenbrock (nonseparable). The global minimum:  $f(x)=0$ ;  $x(i)=1$ ,  $i=1:n$ ;  $n$  is dimension of the search space

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