# Package 'SocialNetworks' 

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## Type Package

Title Generates social networks based on distance.
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## Author Glenna Nightingale, Peter Nightingale <br> Maintainer Glenna Nightingale [glenna.evans@gmail.com](mailto:glenna.evans@gmail.com) <br> Description Generates social networks using either of two approaches: using either pairwise distances or territorial area intersections.

License GPL
Imports Rcpp (>= 0.11.0)
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## $R$ topics documented:

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calculate.areas Makes a social network based on the xy spatial coordinates provided.

## Description

This method uses the area of the intersection between the territorial zones or home bases between each pair of individuals. For a spatial point pattern $X$, the association of individual $j$ on individual i , Aij, is calculated as the percentage of the overlap of the discs centered at points $\mathrm{X}_{-} \mathrm{i}$ and $\mathrm{X} \_\mathrm{j}$ of the total area of the territorial area for individual i . The radius for each disc is the inputted interaction radius. The interaction radius for a given population can be identical for each individual, or different. The interaction radius represents the area within which an individual extracts nutrients or exerts its influence, or communicates an action.

The associations calcuated using this method can be asymmetric. In this case, the interaction radii for two given individuals would be different, implying that the proportion of the overlap between the zones for the individuals is different for each individual. As as example, Figure 1 illustrates the effect of different interaction radii per individual. Individual i is represented by the filled square and individual j is represented by the filled circle. The percentage of the overlap between the two territorial zones in the total area of territorial zone $i$ is larger than that in territorial $j$, suggesting that the effect of individual $j$ on $i$ is greater than that of $i$ on $j$.
The calculations are done based on a Monte Carlo method.
Figure 1: Territorial zones for individuals i and j


## Usage

calculate. areas(arg1, arg2, arg3, numpts)

## Arguments

| $\arg 1$ | x coordinates for individuals |
| :--- | :--- |
| arg2 | y coordinates for individuals |
| arg3 | interaction radii for each individual (they can all be equal) |
| numpts | number of Monte Carlo simulations \#' |

[^0]
## Description

This method uses the area of the intersection between the territorial zones or home bases between each pair of individuals. For a spatial point pattern $X$, the association of individual $j$ on individual i , Aij, is calculated as the percentage of the overlap of the discs centered at points $\mathrm{X} \_\mathrm{i}$ and $\mathrm{X} \_\mathbf{j}$ of the total area of the territorial area for individual $i$. The radius for each disc is the inputted interaction radius. The interaction radius for a given population can be identical for each individual, or different. The interaction radius represents the area within which an individual extracts nutrients or exerts its influence, or communicates an action.

This function is similar to the calculate.areas function. The difference, however, between these two functions is that for this function we assume that the strength of interaction for any given individual gradually decreases with distance. As shown in the cartoon below for two individuals, the discs of points denote two individuals distinguished by colour. As the distance from the center of each disc (the inidividual is located at the center of the disc) decreases, the density of the points (representing the strength of the individual's influence or strength of interaction) decreases also. This is an illustration of the concept of the interaction function that we adopt for

this function.
The associ-
ations calcuated using this method can be asymmetric. In this case, the interaction radii for two given individuals would be different, implying that the proportion of the overlap between the zones for the individuals is different for each individual. As as example, Figure 1 illustrates the effect of different interaction radii per individual. Individual i is represented by the filled square and individual j is represented by the filled circle. The percentage of the overlap between the two territorial zones in the total area of territorial zone $i$ is larger than that in territorial $j$, suggesting that the effect of individual $j$ on $i$ is greater than that of $i$ on $j$.
The calculations are done based on a Monte Carlo method.

## Usage

calculate.gradedareas(arg1, arg2, arg3, numpts)

## Arguments

| $\arg 1$ | x coordinates for individuals |
| :--- | :--- |
| $\arg 2$ | y coordinates for individuals |
| arg3 | interaction radii for each individual (they can all be equal) |
| numpts | number of Monte Carlo simulations \#' |

## Examples

$$
a=c(0.4,0.5,0.5,0.6)
$$

```
b = c(0.1, 0.2, 0.3, 0.4)
d = c(0.1, 0.1, 0.1, 0.1)
e = 1000000
calculate.gradedareas(a,b,d,e)
```

$$
\begin{array}{ll}
\text { calculateassociations Generates social network based on xy spatial coordinates of individu- } \\
\text { als. }
\end{array}
$$

## Description

This method uses the pairwise distances between each pair of individuals. For a spatial point pattern X , the association of individual j on individual i , Aij , is calculated using the distances between points X_i and $X_{-} \mathfrak{j}$ using a smooth interaction function first introduced by Illian (2009). If d represents the distance between points $X_{\_} i$ and $X_{-} \mathfrak{j}$, and the interaction radius for individual $i$ is $R \_i$, then the association of $j$ on $i$ is calculated as: $\left(\left(1-\left(d / R \_i\right)^{\wedge} 2\right)\right)^{\wedge} 2$ if $d>0$ and $d<=R \_i$, and 0 otherwise. This function has been described as a smooth interaction function because the value of the association calculated decreases smoothly as a function of distance. This is in contrast to associations calcuated using a binary function where the association $=1$ if $d<=R$ and 0 otherwise. Such a function is based on the assumption that the association is constant (1) at all distances less than $\mathrm{R} \_\mathrm{i}$, and 0 for distances greater than R_i. The figure below shows a plot of both functions (the binary interaction function is represented by the dotted line) for an example where $\mathrm{R}=1$.

## Plots of the two pairwise interaction functions



## Usage

calculateassociations(x, y, ir)

## Arguments

x
y
ir
a list of x coordinates for all the individuals
a list of y coordinates for all the individuals
a list of interaction radii for all the individuals

## References

Illian, Moller, Waagepetersen, 2009. Hierarchical spatial point process analysis for a plant community of high biodiversity.Environ. Ecol. Stat. vol 16, pp 389-405

Generates social networks

## Description

Generates a social network based on user inputted spatial xy coordinates.

## Details

| Package: | SocialNetworks |
| :--- | :--- |
| Type: | Package |
| Version: | 1.1 |
| Date: | $2014-08-20$ |
| License: | GPL |

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## References

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Funwi-Gabga, N., and Mateu, J. (2012). Understanding the nesting spatial behaviour of gorillas in the Kagwene Sanctuary, Cameroon. Stochastic Environmental Research and Risk Assessment, vol 26, pp. 793-811.
Hoppitt, W. and Laland, K. N. (2013). Social Learning: An Introduction to Mechanisms, Methods, and Models. Princeton University Press.

Illian, Moller, Waagepetersen, (2009). Hierarchical spatial point process analysis for a plant community of high biodiversity.Environ. Ecol. Stat. vol 16, pp 389-405

## Examples

```
#Using pairwise distances to calcualate inter-individual associations
# generate a social network from a regular spatial point pattern ir = 0.06
#-------------------------------------------------------------------------------
x = c(0.1023117, 0.1119260, 0.1625270, 0.3594291, 0.4220571, 0.4606205, 0.5927459,
    0.6847543, 0.7065195, 0.7760657, 0.9827536)
y = c(0.2525266, 0.3346728, 0.5275355, 0.2447207, 0.2765606, 0.4999600, 0.5928410,
    0.8356211, 0.2506116, 0.8994760, 0.1432255)
#plot(x,y)
irset = c(rep(0.06,11))
calculateassociations(x,y,irset)
```

\# generate a social network from a clustered spatial point pattern

$x=$
$c(0.77302412,0.82946034,0.65776305,0.62294479,0.58577335,0.39332654$,
$0.36893684,0.40518735,0.53956642,0.56596859,0.62802969,0.10380876$,
$0.71058751,0.65943692,0.88056259,0.90567566,0.91166684,0.89489341$,
$0.92668619,0.01544599,0.30499431,0.28249059,0.30733518,0.73165075$,
$0.17712420,0.80869511,0.77351717,0.75508022,0.79445346,0.73134413$,
$0.62448310,0.60180882,0.66741081,0.45884352,0.45282315,0.45614636$,
$0.45270694,0.44764728,0.53259346)$
$y=$
$c(0.943378357,0.933698623,0.123641160,0.146773076,0.135097659,0.978760171$,
$0.981407654,0.937111187,0.080617391,0.114438404,0.061834776,0.370322731$,
$0.036576942,0.003974257,0.830356964,0.837171526,0.884801445,0.797794654$,
$0.844312417,0.969982888,0.672246284,0.692111852,0.671098280,0.999097233$,
$0.003736065,0.255322335,0.282689074,0.310793806,0.229047375,0.266413304$,
$0.324984514,0.279652338,0.287134158,0.331962948,0.365469720,0.343868765$,
$0.378876999,0.331915785,0.368805652$ )

```
#plot(x,y)
irset = c(rep(0.05,length(x)))
calculateassociations(x,y,irset)
# generate a social network from a random spatial point pattern
#------------------------------------------------------------------
    x =
    c( 0.74905296, 0.38309725, 0.98627509, 0.02242039, 0.54703348, 0.59173730,
    0.82340399, 0.18718650, 0.49200511, 0.86098261, 0.24848640, 0.15843825,
0.72875205 )
y =
    c(0.73521480, 0.01661629, 0.51564570, 0.61856835, 0.20815448, 0.29431260,
    0.35507188, 0.18940107, 0.98721494, 0.98129752, 0.76510267, 0.43541222,
0.04601392)
#plot(x,y)
irset = c(rep(0.1,length(x)))
calculateassociations(x,y,irset)
# Using the area of overlap between territorial zones to calcualate associations
# generate a social network for four individuals, where an interaction radius is
# specified for each individual
# Note that the interaction radius for a group of individuals can be identical
#-----------------------------------------------------------------------------------
```

calculate.areas $(c(0.1,0.2,0.3,0.4), c(0.1,0.2,0.3,0.4), c(0.1,0.2,0.3,0.4), 1000000)$ \# create a social network for four individuals, with a separate interaction radius \#for each individual

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[^0]:    calculate.gradedareas Makes a spatially derived social network.

