

Package ‘PredictiveRegression’

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Title Prediction Intervals for Three Basic Statistical Models

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Description Three prediction algorithms described in the paper
“On-line predictive linear regression” Annals of Statistics 37,
1566 - 1590 (2009)

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gausspred	<i>Gauss predictor</i>
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Description

Prediction intervals based on the Gauss linear model

Usage

```
gausspred(train, test, epsilons=c(0.05, 0.01))
```

Arguments

train	Training set as a matrix of size N times $K + 1$. Each row describes an observation. Columns 1 to K are the explanatory variables, and column $K + 1$ is the response variables.
test	Test set as a matrix of size N_2 times K . Each row corresponds to an observation (but without the response variable). Columns 1 to K are the explanatory variables.
epsilons	Vector of several significance levels. Each significance level $\text{epsilons}[j]$ is a number between 0 and 1. The default value is (5%, 1%).

Value

The output is a list of three elements.

output[[1]]	The matrix of lower bounds of prediction intervals. Its size is N_2 times N_ϵ , where N_2 is the number of test observations and N_ϵ is the number of significance levels. The element $\text{output}[[1]][i,j]$ of $\text{output}[[1]]$ is the lower bound a of the prediction interval $[a, b]$ for the i th test observation and for the j th significance level $\text{epsilons}[j]$ in the vector epsilons .
output[[2]]	The matrix of upper bounds b , with the same structure as $\text{output}[[1]]$. Typically $a = \text{output}[[1]][i,j]$ and $b = \text{output}[[2]][i,j]$ are real numbers such that $a \leq b$. Exceptions: a is allowed to be $-\infty$ and b is allowed to be ∞ ; the only case where $a > b$ is $a = \infty$ and $b = -\infty$ (the empty prediction $[a, b]$).
output[[3]]	The termination code: 0 = normal termination; 1 = illegal parameters (the training and test sets have different numbers of explanatory variables); 2 = too few observations.

References

Vovk, V., Nouretdinov, I., and Gammerman, A. (2009) On-line predictive linear regression. *Annals of Statistics* 37, 1566 - 1590. This paper describes this standard textbook procedure and its properties when used in the on-line mode.

Examples

```
train <- matrix(c(1,2,3,4, 2.01,2.99,4.01,4.99), nrow=4, ncol=2);
test <- matrix(c(0,10,20), nrow=3, ncol=1);
output <- gausspred(train, test, c(0.05, 0.2));
print(output[[1]]);
print(output[[2]]);
```

iidpred	<i>IID predictor</i>
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Description

Prediction intervals based on the IID model

Usage

```
iidpred(train, test, epsilons=c(0.05, 0.01), ridge=0)
```

Arguments

train	Training set as a matrix of size N times $K + 1$. Each row describes an observation. Columns 1 to K are the explanatory variables, and column $K + 1$ is the response variables.
test	Test set as a matrix of size N_2 times K . Each row corresponds to an observation (but without the response variable). Columns 1 to K are the explanatory variables.
epsilons	Vector of several significance levels. Each significance level $\text{epsilons}[j]$ is a number between 0 and 1. The default value is (5%, 1%).
ridge	Ridge coefficient, a nonnegative number. The default value is 0; setting it to a small positive constant might lead to more stable results.

Value

The output is a list of three elements.

output[[1]]	The matrix of lower bounds of prediction intervals. Its size is N_2 times N_ϵ , where N_2 is the number of test observations and N_ϵ is the number of significance levels. The element $\text{output}[[1]][i,j]$ of $\text{output}[[1]]$ is the lower bound a of the prediction interval $[a, b]$ for the i th test observation and for the j th significance level $\text{epsilons}[j]$ in the vector epsilons .
output[[2]]	The matrix of upper bounds b , with the same structure as $\text{output}[[1]]$. Typically $a = \text{output}[[1]][i,j]$ and $b = \text{output}[[2]][i,j]$ are real numbers such that $a \leq b$. Exceptions: a is allowed to be $-\infty$ and b is allowed to be ∞ ; the only case where $a > b$ is $a = \infty$ and $b = -\infty$ (the empty prediction $[a, b]$).
output[[3]]	The termination code: 0 = normal termination; 1 = illegal parameters (the training and test sets have different numbers of explanatory variables); 2 = too few observations for all significance levels.

References

Vovk, V., Nouretdinov, I., and Gammerman, A. (2009) On-line predictive linear regression. *Annals of Statistics* 37, 1566 - 1590. The new arXiv version <http://arxiv.org/abs/math/0511522> of this paper contains the description of this program and the algorithm that this program implements.

Vovk, V., Gammerman, A., and Shafer, G. (2005) *Algorithmic Learning in a Random World*. New York: Springer. This program implements the algorithm described on pages 30 - 34 of this book.

Examples

```
train <- matrix(c(0,10,20,30, 1.01,10.99,21.01,30.99), nrow=4, ncol=2);
test <- matrix(c(5,15,25), nrow=3, ncol=1);
output <- iidpred(train,test,c(0.05,0.2),0.01);
print(output[[1]]);
print(output[[2]]);
```

mvapred

MVA predictor

Description

Prediction intervals based on the MVA model

Usage

```
mvapred(train,test,epsilons=c(0.05,0.01),ridge=0)
```

Arguments

train	Training set as a matrix of size N times $K + 1$. Each row describes an observation. Columns 1 to K are the explanatory variables, and column $K + 1$ is the response variables.
test	Test set as a matrix of size N_2 times K . Each row corresponds to an observation (but without the response variable). Columns 1 to K are the explanatory variables.
epsilons	Vector of several significance levels. Each significance level $\text{epsilons}[j]$ is a number between 0 and 1. The default value is (5%,1%).
ridge	Ridge coefficient, a nonnegative number. The default value is 0; setting it to a small positive constant might lead to more stable results.

Value

The output is a list of three elements.

output[[1]]	The matrix of lower bounds of prediction intervals. Its size is N_2 times N_ϵ , where N_2 is the number of test observations and N_ϵ is the number of significance levels. The element $\text{output}[[1]][i,j]$ of $\text{output}[[1]]$ is the lower bound a of the prediction interval $[a, b]$ for the i th test observation and for the j th significance level $\text{epsilons}[j]$ in the vector epsilons .
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- output[[2]] The matrix of upper bounds b , with the same structure as output[[1]]. Typically $a = \text{output}[[1]][i,j]$ and $b = \text{output}[[2]][i,j]$ are real numbers such that $a \leq b$. Exceptions: a is allowed to be $-\infty$ and b is allowed to be ∞ ; the only case where $a > b$ is $a = \infty$ and $b = -\infty$ (the empty prediction $[a, b]$).
- output[[3]] The termination code: 0 = normal termination; 1 = illegal parameters (the training and test sets have different numbers of explanatory variables); 2 = too few observations.

References

Vovk, V., Nouretdinov, I., and Gammerman, A. (2009) On-line predictive linear regression. *Annals of Statistics* 37, 1566 - 1590. The new arXiv version <http://arxiv.org/abs/math/0511522> of this paper contains the description of this program and the algorithm that this program implements.

Examples

```
train <- matrix(c(0,10,20,30, 1.01,10.99,21.01,30.99), nrow=4,ncol=2);
test <- matrix(c(5,15,25), nrow=3, ncol=1);
output <- mvapred(train,test,c(0.05,0.2),0.01);
print(output[[1]]);
print(output[[2]]);
```

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