# Package 'CLSOCP' 

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```
Type Package
Title A smoothing Newton method SOCP solver
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Description This package provides and implementation of a one step
    smoothing newton method for the solution of second order cone
    programming problems, originally described by Xiaoni Chi and
    Sanyang Liu.
Depends Matrix
License GPL-3
LazyLoad yes
Repository CRAN
Date/Publication 2011-07-23 13:01:34
NeedsCompilation no
```


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| socp | Solve Second Order Cone Programs |  |

## Description

Solves Second Order Cone Programs (SOCP) using the one step smoothing Newton method of Chi and Liu.

## Usage

$\operatorname{socp}(A, b, c, k v e c$, type $=r e p(' q ', l e n g t h(k v e c))$, use_sparse=TRUE, gamma_fac=. 95 , delta $0=.75$, sigmal

## Arguments

A
b
c
kvec kvec is a vector containing the length of each constraint block.
type type is a vector of the same length as kvec containing the type of each constraint block. Possible values are " $q$ " for second order cone blocks or " 1 " for linear blocks.
use_sparse use_sparse indicates whether or not to use sparse matrices (via the Matrix package) for computations.
gamma_fac gamma_fac is used to calculate gamma (see Chi and Liu, 2009) by gamma <- gamma_fac*min(1, 1/nrm_H
delta0 A parameter affecting the behavior of the algorithm. See Chi and Liu, 2009.
sigma0 A parameter affecting the behavior of the algorithm. See Chi and Liu, 2009.
mu0 A parameter affecting the behavior of the algorithm. See Chi and Liu, 2009.
zero_tol The threshold for completion of the algorithm. See Chi and Liu, 2009.
max_iter The maximum number of allowed iterations if zero_tol is not reached.
min_progress The minimum progress that must be made on each iteration to continue execution.

## Details

A second order cone program (SOCP) is an optimization problem similar to a linear program (LP), except that some variables can be constrained by second order cones. An exact mathematical definition can be found in Chi and Liu, 2009. This function implements the algorithm given in that paper. The algorithm has been extended here to allow for multiple second order cone constraints as well as linear constraints. The objective function is given by sum ( $c * x$ ) while the constraints are $A \% * \% x==b$, with $x$ belonging to the cartesian product of second order cones described by kvec and type.

## Value

A list containing named elements:

| $x$ | The optimal solution to the SOCP. See details. |
| :--- | :--- |
| $y$ | The dual solution. See Chi and Liu, 2009. |
| s | Given by c $-\mathrm{t}(\mathrm{A}) \% * \% \mathrm{y}$. See Chi and Liu, 2009. |
| obj | The value of the objective for the optimal solution. |


| code | The status of the result. 0 indicates that the function completed with no prob- <br> lems. 1 indicates that a singularity occured. 2 indicates termination due to lack <br> of progress. 3 indicates termination due to the maximum number of iterations <br> being reached. Only solutions with a code of 0 should be relied upon. |
| :--- | :--- |
| mu | The final value of the smoothing parameter. See Chi and Liu, 2009. |
| iter | The number of iterations performed. |

## Note

No attempt is made to check the feasibility of the SOCP. Infeasible inputs may result in unexpected behavior, although usually they will result in a failure code.

## Author(s)

Jason Rudy

## References

Chi and Liu. A one-step smoothing Newton method for second-order cone programming. Journal of Computational and Applied Mathematics (2009) vol. 223 (1) pp. 114-123

## Examples

```
#Load an example SOCP
data(prob)
#Solve the socp
soln <- socp(prob$A, prob$b, prob$c, dim(prob$A)[2])
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