

# The “Stem” Class

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## 1 Introduction

The “Stem” class is a virtual class that is meant to form a basis for more descriptive subclasses. The idea is to contain all the common information for, e.g., down logs and standing trees, within

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this base class, then add more information as needed by generating new subclasses. This, of course, could go on for any number of inheritance levels. Time will tell whether this ends up being a reasonable approach, and it is possible that some of the information left for the subclasses might be better moved to the base class, but this can be remedied later. Currently, just the dual branches for downed logs (“downLog” class) and standing trees are envisioned, but perhaps more will present themselves.

In addition, the base “Stem” class, and thus the subclasses, all rely on the `sp` package in **R**. It is used to provide a convenient platform for graphical display that will allow not only user-defined coordinates, but also will support any coordinate system defined in `proj`.<sup>41</sup>—with the exception of lat-long, since spatial coordinates must be commensurate with log dimension units. The drawback to this approach, of course, is that some familiarization with `sp` is required for extending classes. However, for the average user, the spatial components are encapsulated within the objects, are generated automatically by the object constructors, and plot naturally, as we shall see in the examples below; therefore, no familiarity with `sp` is required by the user.

The “Stem” class was created to be used within the sampling surface system of simulation. The concept of sampling surfaces is detailed elsewhere in the package documentation (see, e.g., “*The sampSurf Package Overview*”), and the class structure is contained within the **R** package `sampSurf` (see, e.g., `package?sampSurf`).<sup>2</sup>

An overview of the “Stem” class structure is presented in Figure 1.

## 2 The “Stem” Class

Again, this is a virtual class, so no objects can be directly created from it. However, some methods for this class are defined to give basic functionality to subclasses where it is useful. The class definition is given as...

```
R> getClass('Stem')
```

```
Virtual Class "Stem" [package "sampSurf"]
```

```
Slots:
```

Name:	species	units	location	spUnits	description
Class:	character	character	SpatialPoints	CRS	character

---

<sup>1</sup><http://trac.osgeo.org/proj/>

<sup>2</sup>e.g., <http://software.rc.fas.harvard.edu/mirrors/R/web/packages/sampSurf/index.html>

## The Stem Class

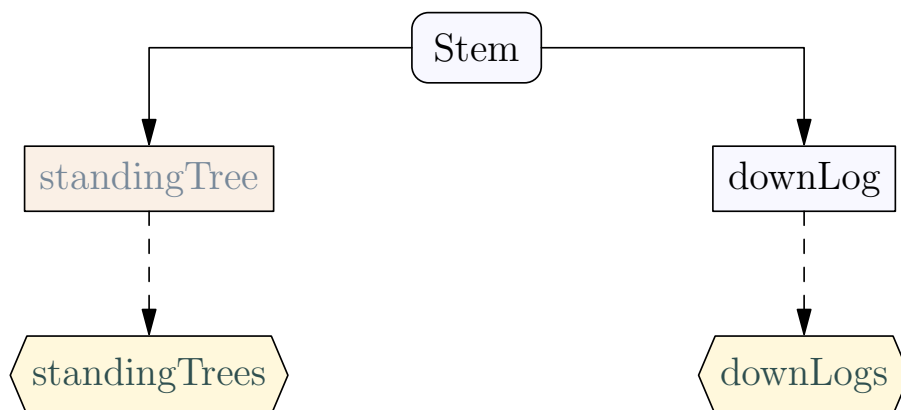


Figure 1: An overview of the “Stem” class. The “standingTrees” and “downLogs” classes are not a subclass, but is instead are container classes for a population of “standingTree” and “downLog” objects, respectively (see the section on container classes in this document).

Name:       userExtra  
Class:        ANY

Known Subclasses: "downLog", "standingTree"

We see from the above listing that there are several slots defined for this class. These are detailed below.

### 2.1 Class slots

- *species*: This is some description of the species. It is entirely left to the user whether it might be codes, common names, Latin names, all of the above, etc.
- *units*: A character string specifying the units of measure. Legal values are “English” and “metric.”
- *location*: This is a “SpatialPoints” representation of the location of the object. In the “downLog” class, this is the center of the log, both longitudinally and radially. In the “standingTree” class, it is the center of the tree diameter at breast height (dbh), corresponding to the pith in a perfectly circular cross-section.

- *spUnits*: A valid string of class “CRS” denoting the spatial units coordinate system (“?CRS” for more information) as in package `sp`.
- *description*: A character vector with any comments about the stem if desired.
- *userExtra*: This can be anything else the user wants to associate with the object. Normally, it might be in the form of a `list` object, but can be anything. The user has complete control over this, it will not be used in any of the methods applied to the class, it is there for extra information storage as desired.

### 3 The “downLog” Class

This is a direct subclass of “Stem” as shown above, and is a general class for down coarse woody debris. It should be general enough to contain data generated for simulation and those collected in a field study, where the log locations are measured (locations could also be generated for measured logs if missing).

One very important aspect of this class design came about mainly because of graphical considerations. It is very important that the diameters be in the *same* units as length as stored within the object. That means, if length is in meters, then diameters should be in meters, not centimeters. We will present ways to handle this in object creation later so that it is not burdensome.

#### 3.1 “downLog” class slots

The object slots are defined as...

```
R> showClass('downLog')
```

```
Class "downLog" [package "sampSurf"]
```

Slots:

Name:	buttDiam	topDiam	logLen	logAngle
Class:	numeric	numeric	numeric	numeric
Name:	solidType	logVol	surfaceArea	coverageArea
Class:	numericNULL	numeric	numeric	numeric
Name:	biomass	carbon	conversions	taper

Class:	numeric	numeric	numeric	data.frame
Name:	profile	rotLog	spLog	slNeedleAxis
Class:	data.frame	matrix	SpatialPolygons	SpatialLines
Name:	species	units	location	spUnits
Class:	character	character	SpatialPoints	CRS
Name:	description	userExtra		
Class:	character	ANY		

Extends: "Stem"

The system help information for this class can be found within **R** with `class?downLog`, and should be consulted for the **R** formats for the fields below. Notice that the last six slots are inherited from “Stem.” The others are new and are defined as follows...

- *buttDiam*: The large-end diameter, in the same units as length.
- *topDiam*: The small-end diameter, in the same units as length.
- *logLen*: The log length in meters or feet.
- *logAngle*: The angle of lie for the log. It should be relative to the log center, which is defined as the center of the ‘needle’ that defines the long axis, and also with respect to cross-section—the `location` slot in other words. Note that the canonical position is the log lying with tip due east with center at (0,0). Angles of rotation are counter-clockwise from this position. This is an important point to consider if, for example, log angles have been taken from north in the field, they must first be converted to east as the origin.
- *solidType*: This is the taper, surface and coverage area, and volume equation exponent parameter. If one measures taper and volume directly, it will not be used, but if either are computed, it should be an appropriate approximation to log form. See below for more details on the default taper equations.
- *logVol*: The log volume in cubic units of length.
- *surfaceArea*: The log surface area in square units of length.
- *coverageArea*: The log projected coverage area in square units of length. Essentially, if you projected the widest portion of the log (i.e., the diameter) vertically onto the ground along the entire log’s length and took the area of this polygon, it is what is termed coverage area here.
- *biomass*: The log woody biomass in appropriate units.

- *carbon*: The log carbon content in appropriate units.
- *conversions*: A vector with names `c('volumeToWeight','weightToCarbon')` specifying the conversion factors for woody biomass and carbon content.
- *taper*: The taper for the log. This can be measured and passed when creating the object. Normally, however, it will be generated using the `buttDiam`, `topDiam` and a taper equation with `nSegs` segments (see `downLog` constructor below). If the default equation is used, then it will also rely on `solidType`. The taper *must* be a data frame with columns labelled `diameter` and `length`. Finally, diameters must be in the same units as length.
- *profile*: The two-dimensional stem profile based on `taper`. This is always oriented as if the log were standing (north) for ease of interpretation. It is a data frame with columns `radius` and `length`. It is reflective, containing both sides of the log in a closed polygon in the `sp` “SpatialPolygons” sense. The central longitudinal axis is located at  $x = 0$ , with the butt at  $y = 0$ .
- *rotLog*: This is the `profile` rotated to its correct position in terms of `logAngle` and `location`. It is a matrix in homogeneous coordinate form with columns `x`, `y` and `hc`. You can, for example, plot these points to identify the location of the taper measurements on the log outline.
- *spLog*: Both `profile` and `rotLog` (as well as `taper`) are intermediate steps to the “SpatialPolygons” object of this name. It has the exact same data as `rotLog`, but in the “SpatialPolygons” form. This allows the log to be easily plotted in the correct juxtaposition using the `sp` package routines.
- *slNeedleAxis*: Holds the “SpatialLines” object defining the longitudinal ‘needle’ axis of the log, again in the correct sense of location and rotation.

## 3.2 Object creation

An object of class “downLog” can be created using the S4 `new` operator. However, because the slot specifications are rather lengthy, this approach is not recommended; but one can get a ‘dummy’ downed log from simply...

```
R> dl = new('downLog')
R> validObject(dl)
```

```
[1] TRUE
```

```
R> slot(dl, 'spLog')
```

```
An object of class "SpatialPolygons"
```

```
Slot "polygons":
```

```
list()
```

```
Slot "plotOrder":
```

```
integer(0)
```

```
Slot "bbox":
```

```
      min max
```

```
[1,]  NA  NA
```

```
[2,]  NA  NA
```

```
Slot "proj4string":
```

```
CRS arguments: NA
```

Note that a valid object is created, but it is not of much use. For example, the `taper` slot is trivial by default, being the entire log. The default object generated above, has randomly filled slots generated in metric as  $0.1 \leq \text{buttDiam} \leq 0.8$ ,  $\text{topDiam} = \text{runif}(1,0,0.9) \times \text{buttDiam}$  with length lying between 1 and 10 meters; `logAngle` is random over zero to  $2\pi$ . As shown, there is no information for plotting the log via the `sp` package. Clearly this is all just used to get a minimally valid object and the user should have much more control. Now, one can certainly specify any other slots when using `new`, but that becomes cumbersome. On the other hand, one can generate random dimensions and angles for logs this way, and then use them subsequently in a call to the constructor to get a complete “downLog” object if desired, though using `sampleLogs` (see below) is a much better choice for this.

The “downLog” class has two constructor functions that have the same name as the class (see `methods?downLog`) for a complete list of arguments), that should be used in preference to `new` in order to create new “downLog” objects. Essentially, the two constructors allow one to generate “downLog” objects from either simple measurements like the butt and tip diameters and the length, or from detailed taper data. Examples are shown in what follows for each method.

### 3.2.1 Object creation with the default taper equation

First, we generate a “downLog” object using simple measurements...

```
R> dl = downLog(species='eastern white pine', logLen=8,
+               buttDiam=50, topDiam=0, centerOffset=c(x=3,y=2),
+               logAngle=pi/4, description='Durham, NH',
+               userExtra=list(decayClass=4))
```

The key (and first) argument in the “downLog” generic function is **object**, it defines the signature of the constructor methods. If it is missing, as in the case above, then it is assumed that no taper data exist, and that instead, taper is to be calculated for the log. In this case, the following taper and volume equations are applied (Van Deusen, 1990). This is a very simple, but useful taper equation; however, it does not model a butt swell...

$$d(l) = D_u + (D_b - D_u) \left( \frac{L - l}{L} \right)^{\frac{2}{r}} \quad (1)$$

$$v(l) = \frac{\pi}{4} \left[ D_u^2 l + L(D_b - D_u)^2 \frac{r}{r+4} \left( 1 - \left( 1 - \frac{l}{L} \right)^{\frac{r+4}{r}} \right) \right. \quad (2)$$

$$\left. + 2LD_u(D_b - D_u) \frac{r}{r+2} \left( 1 - \left( 1 - \frac{l}{L} \right)^{\frac{r+2}{r}} \right) \right] \quad (3)$$

where  $D_b$  is the large-end or butt diameter, with small-end diameter  $D_u$ ,  $0 \leq l \leq L$  is the intermediate log length for volume or diameter estimates,  $L$  is log length, and  $r$  is a parameter such that  $0 \leq r < 2$  generates a neiloid,  $r = 2$  generates a cone, and  $r > 2$  generates a paraboloid. The  $r$  parameter is specified directly via the **solidType** argument, which defaults to  $r = 3$ . Note again that with these taper and volume equations, the units for diameters must be the same as for length.

In addition, the above equation for taper can be integrated to find the surface area of the log. The general surface area integral is given as (Mizrahi and Sullivan, 1982, p. 690)...

$$S = 2\pi \int_a^b y \sqrt{1 + f'(x)^2} dx \quad (4)$$

where  $y = f(x)$  is a function in terms of *radius* (for a surface of revolution) not diameter; and the term  $\sqrt{1 + f'(x)^2}$  when integrated is arc length (Mizrahi and Sullivan, 1982, p. 336). Williams et al. (2005) put (4) in terms of diameter as...

$$S = \pi \int_0^L d(l) \sqrt{1 + \frac{d'(l)^2}{4}} dl \quad (5)$$

where  $d(l)$  is the taper function and  $d'(l)$  is its first derivative with respect to log length. Thus, we require the derivative of the taper equation (1) to evaluate (5), which is given as...

$$d'(l) = -2 \frac{(D_b - D_u)(L - l)^{2/r-1}}{rL^{2r}} \quad (6)$$

The integral in (5) does not appear to have a closed-form solution. However, it is trivial in **R** to numerically integrate, and this is what is done in the **downLog** constructor when the default taper equation is used. Please note that surface area, like volume, is for an idealized log (round, straight) and certainly does not take bark fissures, etc. into account. If that is important, one can derive a subclass for “downLog” with finer calculation, or pass the pre-calculated surface area to the constructor.



Like surface area, log coverage area can be derived from the taper equation (1)...

$$C = \int_0^L d(l) \, dl \quad (7)$$

$$= \frac{(rD_b + 2D_u)}{r + 2} L \quad (8)$$

For individual section or bolt coverage, the solution to the integral is a little messier, but it is closed-form, so quite workable in R...

$$C = \int_a^b d(l) \, dl \quad (9)$$

$$\begin{aligned} &= \frac{1}{(r + 2)L^{2/r}} \left\{ ((b - a)D_u r + (2b - 2a)D_u)L^{2/r} \right. \\ &\quad + (L - b)^{2/r} ((D_u - D_b)rL + (bD_b - bD_u)r) \\ &\quad \left. + (L - a)^{2/r} ((D_b - D_u)rL + (aD_u - aD_b)r) \right\} \quad (10) \end{aligned}$$

where  $a$  and  $b$  are the lower and upper lengths along the log for the segment in question. A little algebra shows that when  $a = 0$  and  $b = L$ , (10) does indeed reduce to (8). Again, the caveat that, like surface area, coverage area is calculated for the ideal log.

The rest of what goes on in generating the object slots is pretty straightforward. Once the taper has been determined, a profile can be generated. Then the log is rotated and translated to its final position as specified by `logAngle` and `centerOffset`. Log volume, surface and coverage area can be passed to the constructor, in which case, those quantities override the taper function-based version.<sup>3</sup> Note that section volumes are not calculated or saved. If these are desired, one can use the `boltDimensions` function (see `?boltDimensions`) on a valid “downLog” object to generate all log dimensions for each segment. A summary of the newly created object is supplied via...

```
R> summary(dl)
```

```
Object of class: downLog
```

```
-----
Durham, NH
-----
```

```
Stem...
```

```
Species:  eastern white pine
units of measurement:  metric
```

---

<sup>3</sup>Be careful with this, all section volumes are based on the taper points and if your total log values are not based on these, they may conflict with the sum of the section volumes.

```

spatial units:  NA
location...
  x coord:  3
  y coord:  2
  (Above coordinates are for log center)
Spatial ID: log:5bs42c9h

downLog...
  Butt diameter = 0.5 meters (50 cm)
  Top diameter = 0 meters (0 cm)
  Log length = 8 meters
  Log volume = 0.67319843 cubic meters
  Log surface area = 7.5425491 square meters
  Log coverage area = 2.4 square meters
  Log angle of lie = 0.78539816 radians (45 degrees)
  Taper parameter = 3

Taper (in part)...
  diameter length
1 0.50000000    0.0
2 0.48319126    0.4
3 0.46608488    0.8
4 0.44865856    1.2
5 0.43088694    1.6
6 0.41274091    2.0

```

"Note: userExtra" slot is non-NULL

Finally, recall from the class definition presented earlier that the diameters stored internally within the created object (i.e., `buttDiam`, `topDiam`, `taper@diameter`) are in the *same* units as length. However, it is very important to keep in mind that the constructor *arguments* for `buttDiam` and `topDiam` are assumed to be in traditional measurement units (inches for “English” and cm for “metric”), and are converted within the object constructor to feet or meters depending upon the value of the argument `units`. This was done because it is more natural to think in these terms for the two diameter arguments used here, and field measurements will not require prior conversion.

### 3.2.2 Object creation from taper measurements

The second constructor is automatically invoked when a data frame is provided by the user as the method signature (first) argument. This argument must be a data frame specifying the log’s taper values (see the `taper` slot in class “downLog” for details), presumably as measured in the field, although it could just as easily have been generated from some other taper equation that is more

appropriate to the log in question. Please keep in mind that the taper data frame is assumed to have all measurements (both diameter and length) in the *same* units as length. This is different than the first constructor, as explained above, where the arguments will be converted internally. We can see how this might work with the following simple example...

```
R> lt = dl@taper
R> nt = nrow(lt)
R> fdx = ifelse(1:nt%%2, TRUE, FALSE)
R> (oddTaper = lt[fdx,])
```

	diameter	length
1	0.50000000	0.0
3	0.46608488	0.8
5	0.43088694	1.6
7	0.39418676	2.4
9	0.35568933	3.2
11	0.31498026	4.0
13	0.27144176	4.8
15	0.22407024	5.6
17	0.17099759	6.4
19	0.10772173	7.2
21	0.00000000	8.0

Next we can create a new object (obviously with the same overall dimensions as the log it was taken from above, but with only every other taper measurement) using this taper information...

```
R> dl2 = downLog(oddTaper, species='eastern white pine',
+               centerOffset=c(x=2.5, y=2),
+               logAngle=3*pi/4, description='Durham, NH',
+               userExtra=list(decayClass=1) )
R> summary(dl2)
```

Object of class: downLog

-----  
Durham, NH  
-----

Stem...

```
Species: eastern white pine
units of measurement: metric
spatial units: NA
```

```

location...
  x coord:  2.5
  y coord:  2
  (Above coordinates are for log center)
Spatial ID: log:jdfb1378

downLog...
  Butt diameter = 0.5 meters (50 cm)
  Top diameter = 0 meters (0 cm)
  Log length = 8 meters
  Log volume = 0.67100624 cubic meters
  Log surface area = 7.5303221 square meters
  Log coverage area = 2.3961038 square meters
  Log angle of lie = 2.3561945 radians (135 degrees)
  Taper parameter = NULL

Taper (in part)...
  diameter length
1  0.50000000    0.0
3  0.46608488    0.8
5  0.43088694    1.6
7  0.39418676    2.4
9  0.35568933    3.2
11 0.31498026    4.0

"Note: userExtra" slot is non-NULL

```

In the above example, we have essentially the same log, but with fewer sections derived from measurements passed to the constructor as a data frame in the signature argument. The log angle and offset are a little different than with the previous log. Notice that other `downLog` constructor arguments such as `buttDiam` are missing here since these are assigned directly from the taper information.<sup>4</sup>

If you are unfamiliar with `S4` classes, this is a very simple illustration of how one can use the signature argument(s) of the generic function to dictate the results using methods that key on each defined signature. Note especially, that `missing` is a valid type for signature arguments (as in the first constructor). A short introduction to `S4` is provided in “*The sampSurf Package Overview*” vignette. Note that in the above examples, the `summary` generic function has been extended with methods for the “downLog” class.

In the current case where a set of taper measurements are used to construct the “downLog” object, we obviously do not have a taper model available to work with for volume, surface and coverage

<sup>4</sup>These arguments as well as `logLen` are just ignored if passed as they are gobbled into the “...” argument.

area calculation. A taper equation may have been used to generate the data frame, but it becomes too complicated to include such a function in the object and expect that other forms such as volume and surface area will be available as well. So the simplest approach in designing the “downLog” class was to include just the data frame. We can use either geometric models or spline functions to calculate the required volumes, coverage and surface areas from the taper data frame points. Currently, the default method for calculating log volumes is to use Smalian’s formula on each segment in the taper data frame and sum these for the log total. This is familiar to foresters and should be adequate for most uses.<sup>5</sup> For surface area, it is trivial in **R** to generate a cubic spline function that can be used to evaluate (5) by numerical integration. Note particularly, that this method enables us to evaluate the derivative (arc length) component in the integral, just like with the default taper equation. Another option would be to use a geometric model like a conic frustum, but in tests the splines worked better and performed very well when taper points were generated from (1), in fact they are almost exact in many cases. Coverage area is handled similarly via **R**’s spline mechanism.<sup>6</sup>

### 3.2.3 Object creation for “simple” logs

A final example shows how we can create a valid “downLog” object in the absence of taper information, and without using the default taper function. Such a case might arise from field measurements where perhaps Smalian’s rule or some other has been used to calculate volumes based on the length and two end diameters. Again, to bypass the internal taper and volume equations, simply supply a “trivial” taper data frame containing the butt and top diameters and the length (a data frame of 2 rows) to the constructor...

```
R> dim(lt)
```

```
[1] 21  2
```

```
R> dtaper = lt[c(1,10),]
```

```
R> dim(dtaper)
```

```
[1] 2 2
```

```
R> logLen = dtaper[2, 'length']
```

```
R> logVol = sum(pi*dtaper[, 'diameter']^2/4)*logLen/2
```

```
R> logSA = with( dtaper, pi*(diameter[1]/2 + diameter[2]/2)*
```

<sup>5</sup>This may change eventually, to put in spline volumes instead.

<sup>6</sup>Please note that the spline model may not work as well with highly irregular log taper.

```

+           sqrt((diameter[1]/2 - diameter[2]/2)^2 + logLen^2) )
R> logCA = with( dtaper, logLen*(diameter[1] + diameter[2])/2 )
R> dl3 = downLog(dtaper, logVol=logVol, surfaceArea=logSA, coverageArea=logCA,
+           description = "Smalian's")
R> dl3

```

Object of class: downLog

```

-----
Smalian's
-----

```

Stem...

```

Species:
units of measurement:  metric
spatial units:  NA
location...
  x coord:  0
  y coord:  0
  (Above coordinates are for log center)
Spatial ID: log:349julma

```

downLog...

```

Butt diameter = 0.5 meters (50 cm)
Top diameter = 0.33564367 meters (33.564367 cm)
Log length = 3.6 meters
Log volume = 0.5126938 cubic meters
Log surface area = 4.7266847 square meters
Log coverage area = 1.5041586 square meters
Log angle of lie = 0 radians (0 degrees)
Taper parameter =  NULL

```

Taper (in part)...

```

      diameter length
1  0.50000000    0.0
10 0.33564367    3.6

```

```

R> dl3 = downLog(dtaper, description = "Smalian's check")
R> c(logVol, dl3@logVol, .StemEnv$SmalianVolume(dl3@taper)$logVol)

```

```

[1] 0.5126938 0.5126938 0.5126938

```

```

R> c(logSA, dl3@surfaceArea, .StemEnv$splineSurfaceArea(dtaper, 0, logLen))

```

```
[1] 4.7266847 4.7266847 4.7266847
```

```
R> c(logCA, dl3@coverageArea, .StemEnv$splineCoverageArea(dtaper, 0, logLen))
```

```
[1] 1.5041586 1.5041586 1.5041586
```

```
R> dl3@solidType
```

```
NULL
```

Remember, the diameters in the taper data frame are always in the same units as length (in this case meters), so we apply Smalian’s rule to the two end diameters to approximate log volume, the area of a trapezoid to approximate coverage area, and then the geometric formula for a conic frustum to calculate surface area. The constructor next created a valid object with these volume, coverage and surface area estimates that can be plotted and used in simulation like any other. The fact that it is less informative with regard to taper is common to many data sets taken from down coarse woody debris inventories. The next step shows that if one had left out the `logVol`, `coverageArea` and `surfaceArea` arguments, then the constructor would have calculated the volume via Smalian’s, and surface and coverage area via splines automatically (as long as `solidType=NULL` (the default) in the method call), as described above. We then compare the geometric model estimates and the constructor estimates with those from the built-in package functions (see `?StemEnv`).<sup>7</sup> The volume estimate for Smalian’s is exactly the same as it is used in both cases; the surface area from the conic frustum and the spline also agree in this case exactly, as do those for coverage area.<sup>8</sup>

In most cases, one will probably just want to use the default taper and volume equations with appropriate solid type for the equations. The above example shows how we can circumvent that if you only want to use something like Smalian’s rule to get a simple estimate of log volume. Alternatively, one can code their own taper and or volume equations and pass the taper data frame and calculated volumes to the constructor. This flexibility allows for a number of different log generation scenarios beyond what is supplied in the default taper-volume equations.

### 3.2.4 Generating log segment dimensions

It was mentioned earlier that log segment (section or bolt) dimensions such as volume, coverage and surface area are not stored with the object. There really is no need for this, as they can be generated

---

<sup>7</sup>The latter two comparisons are redundant as they are using the same functions, but illustrate how to call the internal functions if desired.

<sup>8</sup>This will rarely be the case, they are exact here because the two points in the “simple” log make a conic frustum, and the spline approximates this almost exactly to machine precision.

at any time using the methods based on the two scenarios presented in the previous sections for object creation. The function that accomplishes this is `boltDimensions`, which is demonstrated as follows...

```
R> bd3 = boltDimensions(dl3)
```

```
Summary of bolts in taper data frame...
```

```
-----
Units = metric
Number of segments = 1
Solid type = NULL
Total Length = 3.6 meters
Total volume = 0.5126938 cubic meters (from Smalian's)
Total biomass = NA
Total carbon = NA
Total surface area = 4.7266847 square meters (from spline fit)
Total coverge area = 1.5041586 square meters (from spline fit)
```

```
R> format(bd3, dig=4)
```

```
botDiam topDiam botLen topLen boltLen volume surfaceArea coverageArea biomass
1      0.5  0.3356      0   3.6      3.6 0.5127      4.727      1.504      NA
carbon
1      NA
```

```
R> bd = boltDimensions(dl)
```

```
Summary of bolts in taper data frame...
```

```
-----
Units = metric
Number of segments = 20
Solid type = 3
Total Length = 8 meters
Total volume = 0.67319843 cubic meters (from taper equation)
Total biomass = NA
Total carbon = NA
Total surface area = 7.5425487 square meters (from taper equation)
Total coverge area = 2.4 square meters (from taper equation)
```

```
R> format(head(bd), dig=4)
```



	botDiam	topDiam	botLen	topLen	boltLen	volume	surfaceArea	coverageArea
1	0.5000	0.4832	0.0	0.4	0.4	0.15229	0.6179	0.1966
2	0.4832	0.4661	0.4	0.8	0.4	0.12339	0.5966	0.1899
3	0.4661	0.4487	0.8	1.2	0.4	0.09882	0.5749	0.1830
4	0.4487	0.4309	1.2	1.6	0.4	0.07811	0.5528	0.1759
5	0.4309	0.4127	1.6	2.0	0.4	0.06084	0.5302	0.1687
6	0.4127	0.3942	2.0	2.4	0.4	0.04661	0.5072	0.1614
	biomass	carbon						
1	NA	NA						
2	NA	NA						
3	NA	NA						
4	NA	NA						
5	NA	NA						
6	NA	NA						

There is only one bolt in our “simple” log, and the estimates agree with those calculated above. Similarly, for our more complicated log that was originally generated from the default taper model, the dimensions agree with those shown in previous sections. In general, bolt dimensions are calculated as described above using the default taper equations (if `solidType` is *not* NULL), or using the approximation methods when taper data has been provided by the user (`solidType` is NULL).

### 3.2.5 Biomass and carbon

Biomass and carbon estimates are obviously an area of some importance now a days. However, the calculation of these quantities on an individual log basis has purposely been left up to the user in terms of conversions used, because the quantities can be reported in a number of different ways. One may want to calculate either dry or green/fresh weight and not care about carbon. Alternatively, one may want an estimate of carbon from woody dry matter. The `downLog` constructor allows one to either enter biomass and carbon directly, or to use conversion factors to go from cubic volume to biomass, and then from biomass to carbon content. The routines make no assumption as to the units of mass (e.g., kg, tons) in regard to either quantity and simply reports the quantities; the user is responsible for the correct dimensional analysis of the conversion factors.

As an example, assume that we are interested in woody dry mass in pounds and associated carbon content. If we are not subsampling cores for bulk density in the woods (e.g., [Valentine et al., 2008](#)), then one simple approach is to use average specific gravity of wood for a given species, or what amounts to the same thing, some average mass per unit volume figures. In the U.S. [Miles and Smith \(2009\)](#) have compiled an extensive list of average conversions for common North American trees that can be used for this purpose. Define the following...

Quantity	English	Metric	Interpretation
$\rho = \frac{M}{V}$	$\frac{\text{lb}}{\text{ft}^3}$	$\frac{\text{kg}}{\text{m}^3}$	bulk density (mass per unit volume)
$S_g = \frac{\rho}{\rho_w}$	$\frac{\frac{\text{lb}}{\text{ft}^3}}{\frac{\text{lb}}{\text{ft}^3}}$	$\frac{\frac{\text{kg}}{\text{m}^3}}{\frac{\text{kg}}{\text{m}^3}}$	specific gravity
$\rho_w$	62.4 $\frac{\text{lb}}{\text{ft}^3}$	1000 $\frac{\text{kg}}{\text{m}^3}$	density of water (at $\approx 4^\circ \text{C}$ )
$B = \rho V = V \times S_g \times \rho_w$	lb wood	kg wood	woody biomass
$\psi_c \approx 0.5$	$\frac{\text{lb C}}{\text{lb wood}}$	$\frac{\text{kg C}}{\text{kg wood}}$	biomass to carbon conversion
$C \approx \psi_c B$	lb C	kg C	mass of carbon

Again,  $\rho$  could be either fresh or dry mass in general, but in the example below, since we also would like an estimate of carbon, we assume dry weight. In addition, as mentioned above, the final units for reporting are up to the user. One is free to use bulk density conversions based on other units of weight than are shown in the above table, just be consistent in all logs in a collection (see below).

Returning to the example, consider an eastern white pine log with the following average figures taken from [Miles and Smith \(2009\)](#)...

```
R> rho = 21.8           #bulk density
R> rho.w = 62.4         #density of H2O
R> (Sg = rho / rho.w)   #just a check
```

```
[1] 0.34935897
```

```
R> #create the log...
R> dlC = downLog(buttDiam=16, topDiam=2, logLen=8, units='English', solidType=4,
+               vol2wgt=rho, wgt2carbon=0.5)
R> c(dlC@conversions, dryBiomass=dlC@biomass, carbon=dlC@carbon,
+   volume=dlC@logVol)
```

volumeToWeight	weightToCarbon	dryBiomass	carbon	volume
21.8000000	0.5000000	132.5344856	66.2672428	6.0795636

There are two ways one can specify the biomass and carbon, either directly in the `downLog` object constructor through the `biomass` and `carbon` arguments, or through conversion factors as we have done above. The `vol2wgt` conversion is the bulk density, ( $\rho$ ), and the `wgt2carbon` conversion, ( $\psi_c$ ) is self-explanatory; both are defined in the above table. Both biomass and carbon are optional

quantities in a “downLog” object. They can be missing (NA) and it will not affect anything—simply do not specify any of the four above arguments for this default to be used in the `downLog` constructor.

### 3.3 Plotting the object

The `plot` generic function has also been extended to be able to handle plotting of the objects of the “downLog” class. The arguments are detailed in the help page, but here is a simple example...

```
R> plot(dl, axes=TRUE, showLogCenter=TRUE)
R> plot(dl2, add=TRUE, showNeedle=TRUE, showLogCenter=TRUE, cex=3)
R> points(dl2@rotLog, pch=4, col='gray60')
```

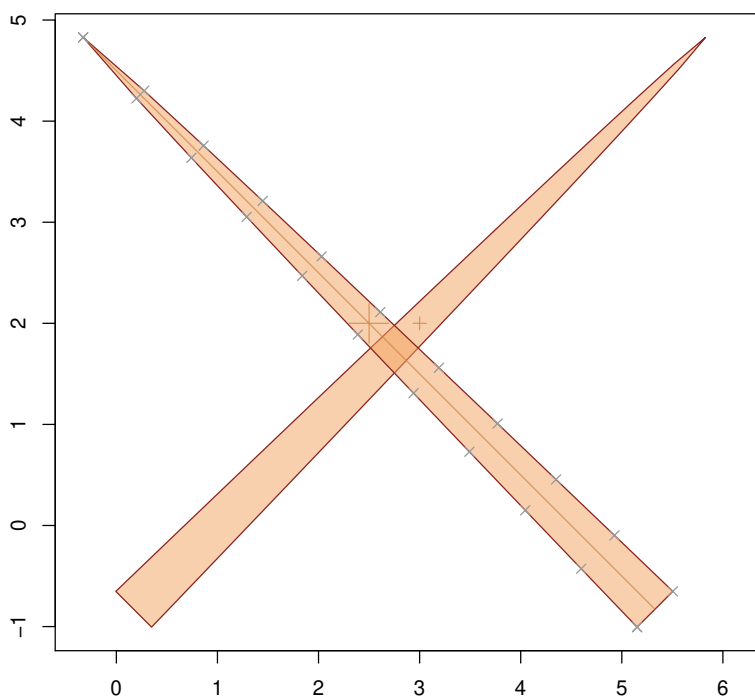


Figure 2: Two downed logs generated from the examples; the second log shows the points (‘x’) where measurements are available in the `taper` slot, using the rotated log point profile.

Note in Figure 2 that the logs are in their correct position and rotation. Here we have just used user-defined coordinates based on meters, but other CRS projections could be used.

### 3.3.1 Coordinate reference systems (CRS)

If other coordinate reference systems supported by “CRS” are used, one must be very careful to have everything about the log commensurate with the system or something will be incorrect when plotting. It is up to the user to monitor this when creating logs, especially when they are subsequently to be used in the later sampling surface interface. That is, if the ‘CRS’ units are in metric, then your log measurements better be as well. If you use, geographic (lat-long) for spatial coordinates, you should convert them first to some system based on meters or feet—though this should not normally be a concern as the spatial scale does not require the use of geographic coordinates.

Please note that you can enter any character string into the `spUnits` slot via the constructor and have it be accepted if the `rgdal` package is not installed on your system. Otherwise, it must be a legal CRS specification accepted by `rgdal`, which is what does all the spatial coordinate system checks.<sup>9</sup>

## 4 Creating Synthetic Log Specifications

The routine `sampleLogs` is a very simple function that can be used to create simulated logs for use in studying sampling methods for down coarse woody debris. Its use is detailed within the help pages, but its use in the following sections requires a little introduction here. First, the arguments are similar to what we have seen in the basic slots of the “downLog” class...

```
R> args(sampleLogs)
```

```
function (nLogs = 2, buttDiams = c(8, 40), topDiams = c(0, 0.9),  
  logLens = c(1, 10), logAngles = c(0, 2 * pi), solidTypes = c(1,  
    10), species = .StemEnv$species, sampleRect = NULL, startSeed = NA,  
  runQuiet = FALSE, ...)  
NULL
```

However, the obvious difference lies in the observation that almost all of the arguments take a vector of lower and upper bounds from which the population is simulated. Notable differences

---

<sup>9</sup>As of this writing, nothing has been checked yet with respect to the use of `rgdal` in `sampSurf`.

appear in: (i) **species**, which can be any character vector of species names, codes, or other identifier; (ii) **sampleRect**, which is a matrix in the form of an **sp** bounding box (**bbox**). This bounding box is used as the enclosing area from which to randomly draw the log center location coordinates in *x* and *y*. Note also that **topDiams**, is a proportion multiplier to **buttDiams**. Finally, the **startSeed** parameter is used for adjusting the random number stream within **R**, through the function **initRandomSeed** (see the help file for this function—**?sampleLogs**—where more details are provided).

As an example, draw a population of logs from the default settings except for species identifiers...

```
R> sl = sampleLogs(5, species=c('RM','ewp','red oak'))
```

Note: logs generated within [0,1] bbox!

```
R> class(sl)
```

```
[1] "data.frame"
```

```
R> format(sl, digits=3)
```

	species	logLen	buttDiam	topDiam	solidType	x	y	logAngle	logAngle.D
1	ewp	2.15	11.8	1.76	6.2	0.753	0.585	5.542	317.5
2	RM	5.18	12.2	9.97	3.8	0.602	0.685	0.985	56.4
3	red oak	4.54	17.4	10.28	8.0	0.649	0.239	2.508	143.7
4	red oak	6.65	33.0	27.52	3.1	0.197	0.612	0.323	18.5
5	RM	1.46	25.5	6.36	6.6	0.547	0.761	5.101	292.2

**sampleLogs** returns a data frame with many columns the same as the slots in “downLog”. The columns *x* and *y* define the center point location of the logs, and **logAngle.D** is simply the log angle in degrees. Because no enclosing bounding box was specified through **sampleRect**, the log center locations all lie within a [0, 1] rectangle as reported (since **runQuiet** is **FALSE** by default).

One important thing to note in this routine is that the bounds one specifies for, e.g., diameters and length, should make sense in the units you are working in. In other words, if you want to generate diameters in cm, you can, and you can also generate diameters in m, it all depends on the bounds for **buttDiam**. Since the constructor for “downLog” objects expects to see diameters in either inches or cm and later converts to feet or meters, you should specify your ranges in inches or cm in general, if the intent is to later create “downLog” objects.

## 5 The “standingTree” Class

This is a general class for standing tree objects and is also a direct descendant of the “Stem” class. It shares many features with the “downLog” class, which will not be repeated in detail here, many will be obvious. These will be alluded to where necessary below, but the “downLog” class specification should be consulted where necessary.

### 5.1 “standingTree” class slots

The object slots are defined as...

```
R> showClass('standingTree')
```

```
Class "standingTree" [package "sampSurf"]
```

Slots:

Name:	buttDiam	topDiam	height	dbh
Class:	numeric	numeric	numeric	numeric
Name:	ba	solidType	treeVol	surfaceArea
Class:	numeric	numericNULL	numeric	numeric
Name:	biomass	carbon	conversions	taper
Class:	numeric	numeric	numeric	data.frame
Name:	profile	transTree	spTree	spDBH
Class:	data.frame	matrix	SpatialPolygons	SpatialPolygons
Name:	species	units	location	spUnits
Class:	character	character	SpatialPoints	CRS
Name:	description	userExtra		
Class:	character	ANY		

Extends: "Stem"

Again, the last six slots are inherited from “Stem”, the others are new and are defined below. Please note that in addition to the obvious differences, there are some subtle differences in some of the

fields that this class shares in common with that of “downLog”. The system help information for this class can be found within **R** with `class?standingTree`, and should be consulted for the **R** formats for the fields below...

- *buttDiam*: The diameter at the butt (e.g., stump) of the tree in the same units a height.
- *topDiam*: The diameter at the tip of the tree in the same units a height.
- *height*: The total height of the tree in feet or meters.
- *dbh*: The diameter at breast height of the tree.
- *ba*: The tree basal area.
- *solidType*: This is the taper, surface and coverage area, and volume equation exponent parameter. If one measures taper and volume directly, it will not be used, but if either are computed, it should be an appropriate approximation to tree form. See the “downLog” class for more details on the default taper equations.
- *treeVol*: The tree’s volume in cubic units of height.
- *surfaceArea*: The tree surface area in square units of height.
- *biomass*: The woody biomass for the tree stem in appropriate units.
- *carbon*: The tree carbon content in appropriate units.
- *conversions*: A vector with names `c('volumeToWeight','weightToCarbon')` specifying the conversion factors for woody biomass and carbon content.
- *taper*: The taper for the tree. This can be measured and passed when creating the object. Normally, however, it will be generated using the `buttDiam`, `topDiam` and a taper equation with `nSegs` segments.<sup>10</sup> If the default equation is used, then it will also rely on `solidType`. The taper *must* be a data frame with columns labelled `diameter` and `height`. Finally, diameters must be in the same units as length.
- *profile*: The two-dimensional stem profile based on `taper`. This is always oriented as if the tree were standing (north) for ease of interpretation. It is a data frame with columns `radius` and `height`. It is reflective, containing both sides of the tree in a closed polygon in the `sp` “SpatialPolygons” sense. The central longitudinal axis (the pith) is located at  $x = 0$ , with the butt at  $y = 0$ . The tree is assumed to be standing straight.
- *transTree*: This is the `profile` translated to its correct position in terms of `location`. It is a matrix in homogeneous coordinate form with columns `x`, `y` and `hc`. You can, for example, plot these points to identify the location of the taper measurements on the tree outline. In addition, one might extend this class and define a subclass that holds leaning trees, in which case, this might also reflect the angle of lean.

<sup>10</sup>Note that `buttDiam` is calculated from `dbh` using the default taper equation; see the `standingTree` constructor below for details.

- *spTree*: Both `profile` and `rotLog` (as well as `taper`) are intermediate steps to the “SpatialPolygons” object of this name. It has the exact same data as `transTree`, but in the “SpatialPolygons” form. This allows the tree to be easily plotted in the correct juxtaposition using the `sp` package routines. Note, however, that if you plot this on a tract, it will appear like a “downLog” object, lying with tip facing north. Instead, the `spDBH` slot should be plotted to identify the standing tree location by its diameter.
- *spDBH*: This contains the “SpatialPolygons” object that defines the circular cross-section at `dbh`. Note again that the tree is assumed standing straight, so the center of this object is the pith, and it is directly aligned with the `location`. Again, if a subclass were defined for leaning trees, this would need to be altered to take into consideration the angle of lean in the projection to the correct location on the tract.

## 5.2 Object creation

An object of class “standingTree” can be created using the `S4 new` operator. However, as has been demonstrated with “downLog” objects, due to the lengthy detail in forming a valid object according to the specifications of the class given in the previous section, this approach should be avoided. A constructor function of the same name is supplied for making “standingTree” objects. In particular, the help shows (`methods?standingTree`) that there are again two constructor functions for object creation, with the first taking `dbh` and using the default taper equation, while the second takes a data frame in the form of `taper`. A simple example follows; other examples can be tried by mimicking the examples for “downLog” object creation.

```
R> sta = standingTree(dbh=20, centerOffset=c(x=5, y=20))
R> summary(sta)
```

```
Object of class: standingTree
```

```
-----
-----
```

```
Stem...
```

```
Species:
```

```
units of measurement: metric
```

```
spatial units: NA
```

```
location...
```

```
  x coord: 5
```

```
  y coord: 20
```

```
  (Above coordinates are for dbh center)
```

```
Spatial ID: tree:x6r392nk
```



```
standingTree...
  Butt diameter = 0.21320346 meters (21.320346 cm)
  Top diameter = 0 meters (0 cm)
  DBH = 0.2 meters (20 cm)
  Basal area = 0.031415927 square meters
  Height = 15 meters
  Tree volume = 0.22950538 cubic meters
  Tree surface area = 6.028299 square meters
  Taper parameter = 3
```

```
Taper (in part)...
```

	diameter	height
1	0.21320346	0.00
2	0.20603610	0.75
3	0.19874182	1.50
4	0.19131112	2.25
5	0.18373317	3.00
6	0.17599558	3.75

All of the information in section 3.2.1 are applicable here with respect to the default taper and related equations. When the above constructor method is used, the `buttDiam` is solved for from the default taper equation using `dbh` via the following...

$$D_b = \left( D_u \left( \left( \frac{H - h_{dbh}}{H} \right)^{2/r} - 1 \right) + dbh \right) \left( \frac{H}{H - h_{dbh}} \right)^{2/r} \quad (11)$$

where  $h_{dbh}$  is 4.5 ft or 1.3 m, depending on `units`, and  $H$  is total tree height (see section 3.2.1 for other definitions).

### 5.3 Plotting the object

Plotting is simple and follows by analogy to the “downLog” class...

```
R> plot(sta, axes=TRUE)
```

It is worth mentioning one more time that the plot coordinates are in meters in this example (if “English” units were used, they would be in feet) and so the diameter of the cross-section at DBH has been converted to meters. This conversion is necessary so the object can be plotted in the correct size on a “Tract” object (see “The Tract Class” vignette) or with respect to other spatial classes in package `sampSurf`. Finally, the plotting of objects of class “downLog” and “standingTree” is accomplished via the `sp plot` method, which does not allow axes annotation (i.e., axis labels).

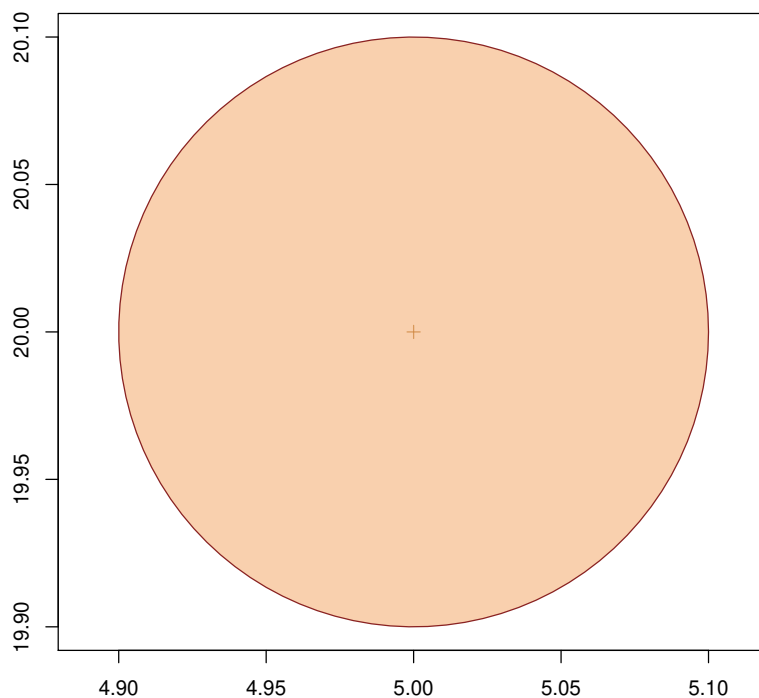


Figure 3: A standing tree in cross section generated from the examples above.

## 6 Creating Synthetic Tree Specifications

The routine `sampleTrees` is a very simple function that can be used to create simulated tree populations. Its use is detailed within the help pages (e.g., `?sampleTrees`).

```
R> args(sampleTrees)
```

```
function (nTrees = 2, dbhs = c(8, 40), topDiams = c(0.4, 0.9),  
  heights = c(5, 15), solidTypes = c(1, 10), species = .StemEnv$species,  
  sampleRect = NULL, startSeed = NA, runQuiet = FALSE, ...)  
NULL
```

Like `sampleLogs`, many of the arguments are vector valued, taking a range over which the samples will be drawn. With the exception of substituting `dbhs` for `buttDiams`, the specifications are the

same as those already discussed for `sampleLogs`, please see section 4 for details.

Below we draw a population of trees from the default settings except for tree DBH...

```
R> satr = sampleTrees(4, dbh=c(8,20), startSeed=12)
```

Note: logs generated within [0,1] bbox!

```
R> class(satr)
```

```
[1] "data.frame"
```

```
R> format(satr, digits=3)
```

	species	height	dbh	topDiam	solidType	x	y
1	hemlock	5.69	8.27	4.86	2.5	0.2184	0.218
2	hemlock	13.18	8.10	4.78	1.3	0.7878	0.268
3	Picea glauca	14.43	12.71	6.77	2.6	0.0979	0.505
4	wp	7.69	17.77	11.01	6.8	0.7098	0.189

Note that the default values do not necessarily produce trees that are reasonable because of the purely random association with, e.g., DBH and height. A simple stochastic height-DBH model would make things much more reasonable for specific studies, but again, this is a simple convenience function that makes no assumptions based on the population species or geographic location.

Another thing to keep in mind when using this function or its companion for logs, is that the stem locations are drawn randomly without any regard for other spatial arrangements. The **R** spatial packages (e.g., `splancs`, `spatstat`) provide many options for generating all manner of point patterns that can be used to substitute for the `x` and `y` coordinates in the data frames generated by `sampleLogs` and `sampleTrees`. Because of the random generation in `sampleTrees` in particular, trees can be placed too close in some cases, but when drawn from a large enough area, this should only be a rare occurrence.

In summary, if you want to simply play with some synthetic trees that may or may not correspond to anything real, use either of these functions (though the down logs version is more apt to generate realistic populations simply because of breakage). If a realistic population is in order, write a routine to generate them and format the results the same as is output from these two methods so that they can be easily interfaced with the rest of the class (see the container class examples that follow).

## 7 Container Classes

This idea essentially comes from C++ and Java. There needs to be a mechanism to have multiple versions of, e.g., “downLog” objects stored in a population or collection. One could, of course, store these objects within a `list` structure. However, this would not allow generics and methods to be written to act on the objects in a true object style, since `lists` can contain anything. Thus we make this a class of its own so we can impart an inherent functionality to its objects. This means there also needs to be class definition and associated constructor methods, along with summary, plot, etc. methods to work with these container objects.

### 7.1 The “StemContainer” Class

This class is analog the “Stem” class. It is the virtual base class for two subclasses that will hold collections of down logs and standing trees. The slots defined here are common to the two subclasses, the actual `list` objects that store the respective collections are defined in the subclass structure...

```
R> showClass('StemContainer')
```

```
Virtual Class "StemContainer" [package "sampSurf"]
```

```
Slots:
```

Name:	units	bbox	stats	description
Class:	character	matrix	data.frame	character

```
Known Subclasses: "downLogs", "standingTrees"
```

An overview of the “StemContainer” class structure is presented in Figure 4.

#### 7.1.1 Class slots

- *units*: The units of measurement. Note that all logs or trees in the collection *must* share the same units of measurement. This is checked at object creation.
- *bbox*: The overall bounding box for the collection, it is useful in plotting the entire collection.
- *stats*: Some simple statistics for the collection in a data frame. Please note that all statistics are calculated using `na.rm=TRUE`, and so represent the values for the objects in the collection with non-missing values of the quantities calculated.

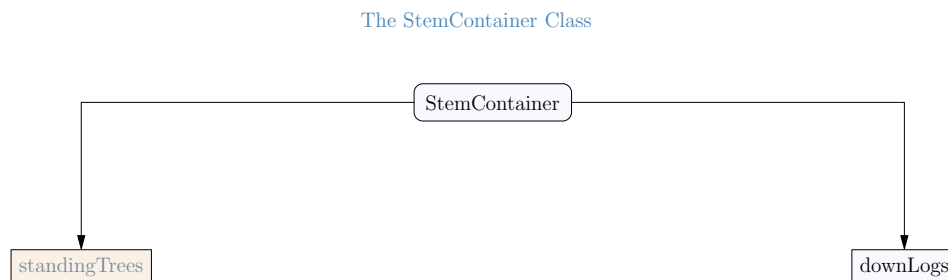


Figure 4: An overview of the “StemContainer” class structure (See also Figure 1)

- *description*: A character vector description for the collection if desired.

## 7.2 Class “downLogs”

The “downLogs” class is a subclass of the virtual “StemContainer” class. This container holds a collection of “downLog” objects...

```
R> showClass('downLogs')
```

```
Class "downLogs" [package "sampSurf"]
```

```
Slots:
```

Name:	logs	units	bbox	stats	description
Class:	list	character	matrix	data.frame	character

```
Extends: "StemContainer"
```

This is a very simple class. At present, it adds a `list` of “downLog” objects to the base class definition...

### 7.2.1 Class slots

- *logs*: This is a normal **R** `list` holding the individual “downLog” objects. Please see the caveat below concerning deleting or adding to this list in your code.

List items will be named `log.1`, `log.2`, ... by the constructor, and any names that were in the list will be replaced by these. It is strongly suggested that these names be kept for the collection.

### 7.3 Class “standingTrees”

This is also a subclass of “StemContainer”, and is used to store a collection of objects that are all of class “standingTree”. Like the “downLogs” subclass, it only adds one slot to the base class definition...

```
R> showClass('standingTrees')
```

```
Class "standingTrees" [package "sampSurf"]
```

```
Slots:
```

Name:	trees	units	bbox	stats	description
Class:	list	character	matrix	data.frame	character

```
Extends: "StemContainer"
```

#### 7.3.1 Class slots

- *trees*: This is a normal **R** list holding the individual “standingTree” objects. Please see the caveat below concerning deleting or adding to this list in your code.

Note the difference between the `list` slot between the two subclasses. In the “downLogs” class, its name is `logs`, whereas in the “standingTrees” class it is `trees`. In addition, in this subclass list items will be named `tree.1`, `tree.2`, ... by the constructor, and any names that were in the list will be replaced by these. Again, it is strongly suggested that these names be kept for the collection.

### 7.4 A note of caution

Please note that at the present time the “StemContainer” class and subclasses only partially meets the requirements of a true “container class” in object oriented programming. This is because it does not as yet have methods for object deletion, editing, or addition to the list of objects. Because the statistics and bounding box are tied to the collection, a caution is in order regarding changing in

any way the objects within the `logs` or `trees` list: if you add to or delete from the list, the `bbox` and `stats` slots will be incorrect unless also updated to reflect whatever changes have been made on the `list` slot. The best way to handle this is to simply extract the list from the object, do whatever editing has to be done to it, then use the constructor below to make a new object. Then everything will be correctly represented within the object. Eventually, routines for editing may be added.

## 7.5 Class construction

In keeping with the previous naming convention for construction of “Stem” objects, the constructor function for the two subclasses are `downLogs` and `standingTrees`, matching the respective class names. A collection can be created in two main ways: synthetically, or from existing valid “downLog” (or “standingTree” objects). However, there are several actual constructor variants of the same name that differ in function based on their signatures as described in the following (with signature arguments `object` and `container`). Please note that down logs are used in the descriptions below, but the same is true for standing trees...

1. `object`→`list`, `container`→`missing`: This is the base constructor, all of the following constructors just reformat their inputs into a list containing “downLog” objects and then call this constructor to make the object.
2. `object`→`numeric`, `container`→`matrix`: Here the `object` specifies the number of logs that should be generated in the population and the `container` argument specifies a bounding box (`bbox`) matrix in the sense of the `sp` package, with row names `c('x', 'y')` and column names `c('min', 'max')`, from which the log centers will be drawn at random.
3. `object`→`numeric`, `container`→`missing`: This is similar to the previous, but the bounding “box” from which log centers are drawn is specified by the `xlim` and `ylim` arguments. These specify the range in  $x$  and  $y$  and are internally converted to a matrix so that the second constructor can be called.
4. `object`→`numeric`, `container`→`bufferedTract`: Similar to the last two, where “bufferedTract” is a subclass of class “Tract” (see: *The Tract Class* vignette for details). The log centers are drawn from within the buffer of the object passed in this argument.
5. `object`→`data.frame`, `container`→`missing`: This will accept a previous collection of logs complete with locational information in the form of a data frame returned from `sampleLogs`. Note that these do not have to be synthetic logs, one can make such a data frame out of observed measurements. This constructor calls the “downLog” constructor for each log generated. Therefore, one can pass on arguments to this constructor such as `nSegs`.

In each case, there are other arguments to the constructors that may be passed. These are all detailed in the help files—please see `methods?downLogs` for more details.

### 7.5.1 The `downLogs` constructor

In the following, we demonstrate a couple of the constructor forms described above. The rest are simple enough to try once the general idea is demonstrated. First, generate a population of random logs from within a default set of  $x$  and  $y$  limits specified in `xlim` and `ylim` arguments—this corresponds to the third constructor in the previous list (i.e., `object` is `numeric` and `container` is `missing`)...

```
R> dlp = downLogs(15, xlim=c(0,20), ylim=c(10,40), buttDiams=c(10,35))
R> summary(dlp)
```

```
Object of class: downLogs
```

```
-----
Container class object...
```

```
  Units of measurement:  metric
```

```
  Encapulating bounding box...
```

```
           min      max
x 1.5785851 23.942692
y 7.5528686 39.639912
```

```
There are 15 logs in the population
Population log volume = 3.4363258 cubic meters
Population log surface area = 62.986519 square meters
Population log coverage area = 20.039812 square meters
Average volume/log = 0.22908839 cubic meters
Average surface area/log = 4.1991013 square meters
Average coverage area/log = 1.3359874 square meters
Average length/log = 6.9546667 meters
(**All statistics exclude NAs)
```

```
R> plot(dlp, axes=TRUE, showNeedle=TRUE)
R> plot(perimeter(dlp), add=TRUE, border='grey60', lty='dashed')
```

There are several things going on here. First, the limits for the area from which the log centers are drawn are specified in meters (default) via `xlim` and `ylim`. Second, and most importantly, one can pass several of the arguments to this constructor that are used to specify log characteristics in



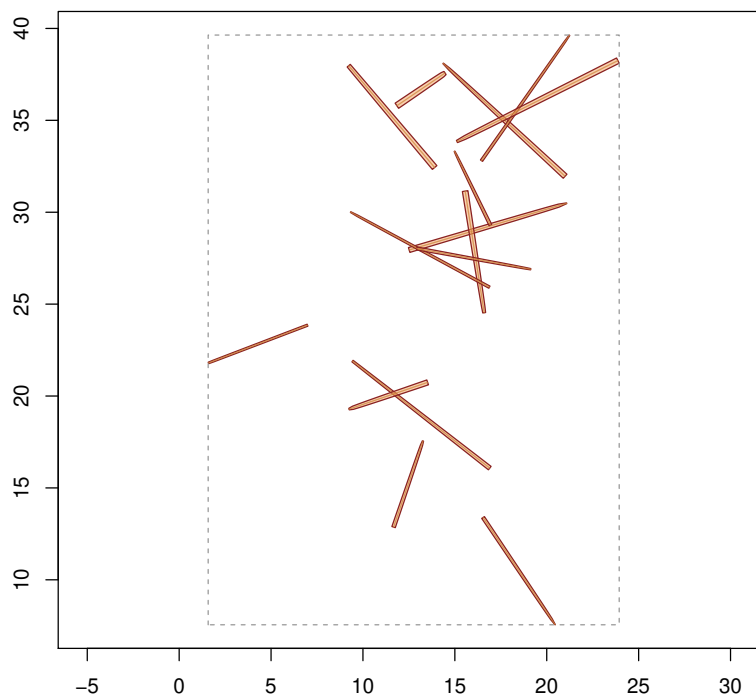


Figure 5: Synthetic population of downed logs generated from the examples along with the bounding box that encloses the entire collection.

`sampleLogs`<sup>11</sup>, because these constructors actually use `sampleLogs` to generate the logs. Figure 5 illustrates the population of logs that were drawn using the constructor in the code above.

As a second example, we use the data frame constructor to generate a collection from a set of logs. In this case, they were generated using `sampleLogs`, but as long as we use the same column names as appear in the resulting data frame from `sampleLogs`, these could just as easily be logs from a field inventory. The use of this method is shown in the following example...

```
R> buff = matrix(c(0,100,0,100), nrow=2, byrow=TRUE,
+               dimnames=list(c('x','y'),c('min','max')))
R> sl = sampleLogs(10, buttDiam = c(1,25), sampleRect = buff)
R> dlp2 = downLogs(sl)
```

<sup>11</sup>`buttDiams`, `topDiams`, `logLens`, `logAngles`, `solidTypes` and `species`—`startSeed` can also be passed in the ... argument list.

```
R> summary(dlp2)
```

```
Object of class: downLogs
```

```
-----
Container class object...
```

```
Units of measurement: metric
```

```
Encapsulating bounding box...
```

```
      min      max
x 5.2394466 98.919457
y 5.8215047 77.382617
```

```
There are 10 logs in the population
Population log volume = 0.68466637 cubic meters
Population log surface area = 17.431849 square meters
Population log coverage area = 5.5453717 square meters
Average volume/log = 0.068466637 cubic meters
Average surface area/log = 1.7431849 square meters
Average coverage area/log = 0.55453717 square meters
Average length/log = 4.952 meters
(**All statistics exclude NAs)
```

Note that in this and other methods, the encapsulating bounding box for the log population does not necessarily correspond to the extents passed in the `sampleRect` argument (in this last example, the tract buffer area). In fact, it can be significantly larger than this rectangle because it encompasses the entire log for every log in the population. The `sampleRect` argument, on the other hand, specifies the rectangle from which the log *centers* will be drawn.

Note that we can set the random number seed in a couple different ways, to get the repeatable results; this is explained in more detail in the help files (`?initRandomSeed`)...

```
R> slogs = sampleLogs(10, sampleRect=buff, startSeed=10)
R> dlgs1 = downLogs(slogs)
R> dlgs2 = downLogs(10, buff, startSeed=10)
R> identical(dlgs1@stats, dlgs2@stats)
```

```
[1] TRUE
```

```
R> identical(dlgs1, dlgs2)
```

```
[1] TRUE
```

Note that not only are the summary statistics identical, but all of the information contained in the two sets of logs are identical, including spatial data.

As a final example, to make a population of down logs from already existing “downLog” objects, say from logs measured in the field, we could use the above method for `data.frames`, or we could use the constructor with the `list` signature. For the latter method, first just create a list containing “downLog” objects, then create the collection...

```
R> ml = dlp@logs[1:2]      #a list of 2 logs as an example
R> dlp2 = downLogs(ml)
R> summary(dlp2)
```

```
Object of class: downLogs
```

```
-----
Container class object...
```

```
  Units of measurement:  metric
```

```
  Encapulating bounding box...
```

```
      min      max
x 11.5741502 20.465029
y  7.5528686 17.563664
```

```
There are 2 logs in the population
Population log volume =  0.23398109 cubic meters
Population log surface area =  5.8542168 square meters
Population log coverage area =  1.862447 square meters
Average volume/log =  0.11699055 cubic meters
Average surface area/log =  2.9271084 square meters
Average coverage area/log =  0.9312235 square meters
Average length/log =  5.99 meters
(**All statistics exclude NAs)
```

The advantage of making a separate class for the container objects lies, of course, in the automatic validity checking, and the association of `plot`, `summary`, etc. methods to the object and its advantages over just collection “downLog” objects into a list is evident. For example, in validity checking, each log must be a valid “downLog” object or **R** will not construct the container object.

Other constraints on the “downLogs” collection include that each log must be measured in the same units. If for some reason one had to mix units, one could just make two subpopulations, one for English and one for metric. Everything would work fine on those subpopulations.

### 7.5.2 The `standingTrees` constructor

The constructors for the “standingTrees” class objects follow the exact same pattern as those described above for logs—simply substitute “trees” for “logs” in the descriptions of the five constructor variants. In addition, note that the `sampleTrees` function is used in place of the `sampleLogs` function (see `?sampleTrees` for more information on use and arguments). Here we present just one example of the constructor for collections of “standingTree” objects...

```
R> stsp = standingTrees(25, xlim=c(0,40), ylim=c(0,40), dbhs=c(25,50))
R> summary(stsp)
```

```
Object of class: standingTrees
```

```
-----
Container class object...
```

```
Units of measurement:  metric
```

```
Encapsulating bounding box...
```

```
      min      max
x 0.13981040 40.239052
y -0.11242837 39.882626
```

```
There are 25 trees in the population
```

```
Population tree volume = 23.484955 cubic meters
```

```
Population tree surface area = 266.93503 square meters
```

```
Average volume/tree = 0.93939819 cubic meters
```

```
Average surface area/tree = 10.677401 square meters
```

```
Average height/tree = 10.2036 meters
```

```
(**All statistics exclude NAs)
```

```
R> plot(stsp, axes=TRUE)
```

```
R> plot(perimeter(stsp), add=TRUE, border='grey60', lty='dashed')
```

Figure 6 displays the resulting collection. Note that the perimeter object for the collection is also plotted as in Figure 5.

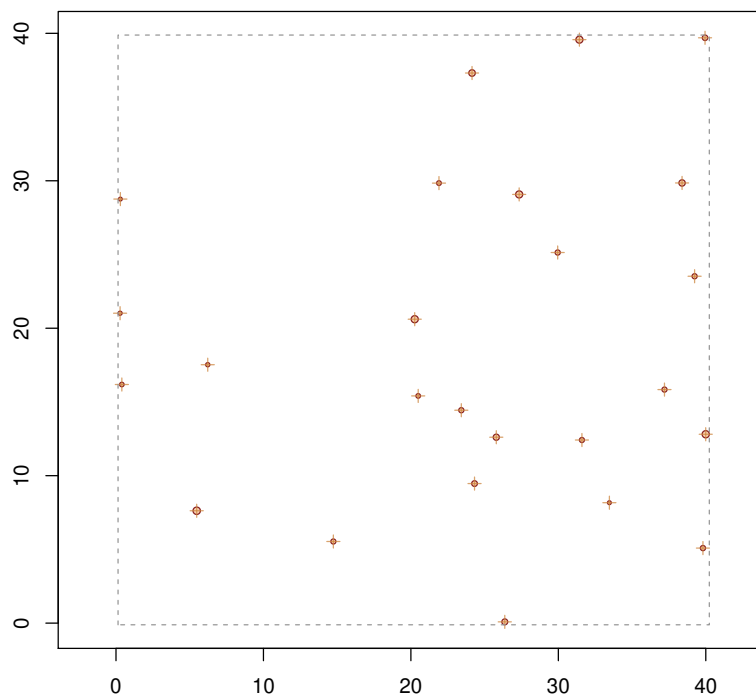


Figure 6: Synthetic population of standing trees generated from the examples along with the bounding box that encloses the entire collection.

## 7.6 Object coercion

It is sometimes useful to be able to convert backwards from a “downLogs” collection to a data frame in the form of that generated by `sampleLogs`. There is a simple facility for doing this using basic **R** coercion on the object; e.g.,

```
R> format( as(dlp2, 'data.frame'), digits=2)
```

	species	logLen	buttDiam	topDiam	solidType	x	y	logAngle	logAngle.D
1	BW	5	20	6.7	6.8	12	15	1.2	71
2	Picea glauca	7	18	1.6	8.4	18	10	5.3	304

The same coercion is available for standing trees...

```
R> stsp2 = standingTrees(3)
R> format( as(stsp2, 'data.frame'), digits=2)
```

	species	height	dbh	topDiam	solidType	x	y
1	Picea glauca	8.7	26	15.0	4.8 18	3.9	
2	Picea glauca	10.5	32	25.0	1.3 34	9.7	
3	sm	6.0	13	5.6	2.9 28	14.3	

## 8 Some Hidden Knowledge

There is a “hidden” environment (see `?environment`) within the `sampSurf` package name space that holds a number of constants that are useful in working with objects that are subclasses of the “Stem” class. Originally, the intent was to hide this information from the user, so it would not be a distraction. But the more that was added, the less plausible this idea became. Here we just look briefly at a couple objects within that environment that are useful for, e.g., “downLog” objects. The methods described can be applied by the user to snoop around a bit more into objects within this environment as the need arises (and it may not).

First, we can look at the environment’s contents...

```
R> ls(.StemEnv)
```

[1] "alphaTrans"	"angleGaugeMaxDegrees"	"baFactor"
[4] "blue.colors"	"cm2m"	"dbhHgt"
[7] "deg2rad"	"deg2Rad"	"ft2in"
[10] "gray.colors"	"gridCenterColor"	"gridLineColor"
[13] "in2ft"	"izBorderColor"	"izCenterColor"
[16] "izColor"	"logAngles"	"logAttributeColor"
[19] "logBorderColor"	"logColor"	"m2cm"
[22] "msrUnits"	"pdsTypes"	"puaEstimates"
[25] "rad2deg"	"rad2Deg"	"randomID"
[28] "sampleLogsNames"	"sampleTreesNames"	"sfpAcre"
[31] "SmalianVolume"	"smpHectare"	"solidTypes"
[34] "species"	"splineCoverageArea"	"splineSurfaceArea"
[37] "treeAttributeColor"	"treeBorderColor"	"treeColor"
[40] "underLine"	"validEstimates"	"wbCoverageArea"
[43] "wbSurfaceArea"	"wbTaper"	"wbVolume"

For example, to see the range of legal values for the taper parameter `solidType` and some plausible species names...

```
R> .StemEnv$solidTypes
```

```
[1] 1 10
```

```
R> .StemEnv$species
```

```
[1] "wp"           "rm"           "sm"           "hemlock"
[5] "Picea glauca" "shagbark hickory" "BW"
```

The functions beginning with “wb” are for the default taper equation, those for taper data begin with either “spline” or “Smalian” and can be accessed directly. There is currently no documentation for these as they were never meant for general use, so one will have to look at the functions and their use in, e.g., the `downLog` constructor to see how to use them correctly.

## References

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